

# PDV in a Railgun

*The Institute for Advanced Technology*

*The University of Texas at Austin*

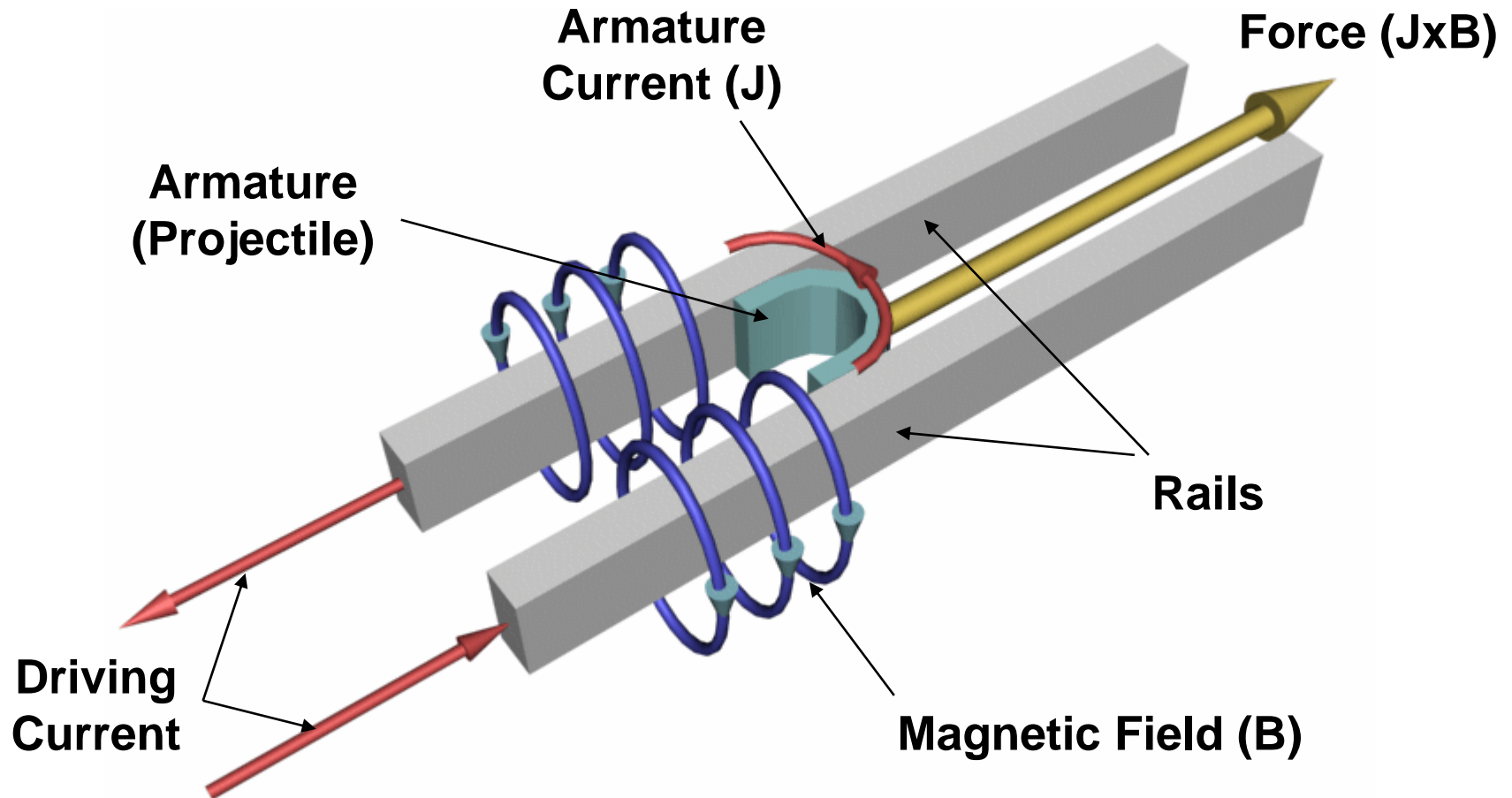
**Scott Levinson, Sikhanda Satapathy, Dwight Landen,**

**2nd Annual PDV Workshop**

**Aug 16-17, 2007**

**Lawrence Livermore National Laboratory**

# Electromagnetic Launcher

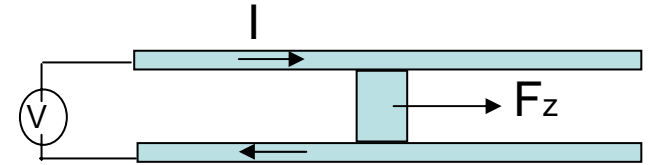


The current flowing in the rails causes a magnetic field which interacts with the current in the armature, generating a Lorentz ( $J \times B$ ) force.

# Propulsion Force

Energy Balance:

$$\int_0^t V I dt = \int dE_m + \int_0^t R I^2 dt + \int F_z dz$$



Faraday's Law:

$$V = RI + \frac{\partial \phi}{\partial t}$$

$$\Rightarrow E_m = \int I d\phi - \int F_z dz$$

$$\Rightarrow F_z = - \left. \frac{\partial E_m}{\partial z} \right|_{\phi} ; \text{ and } I = \left. \frac{\partial E_m}{\partial \phi} \right|_z$$

$$\Rightarrow F_z = - \frac{\partial}{\partial z} \left( \frac{\phi^2}{2L} \right) = \frac{1}{2} \frac{\partial L}{\partial z} I^2$$

↑  
This is a geometric parameter.

# Railgun Equations

- Propulsion force:

$$F = ma = \frac{1}{2} L' I^2 - F_f$$

- $L'$  is the “inductance gradient”, a geometric constant, and is around  $0.5 \mu\text{H/m}$

$$F_f = \frac{1}{2} L' I^2 - m\dot{v}$$

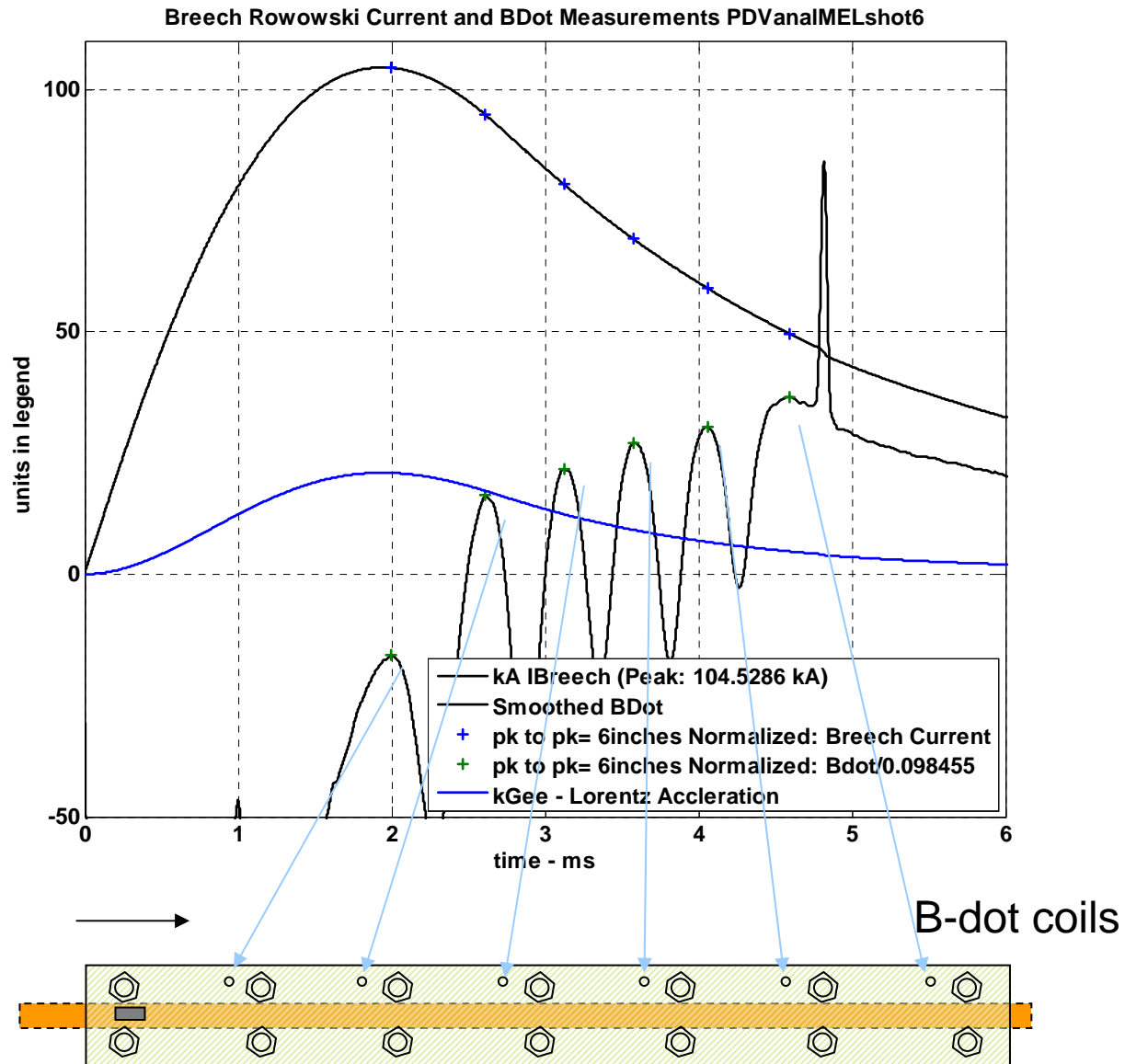
Measured with Pearson coil

Measured with PDV method

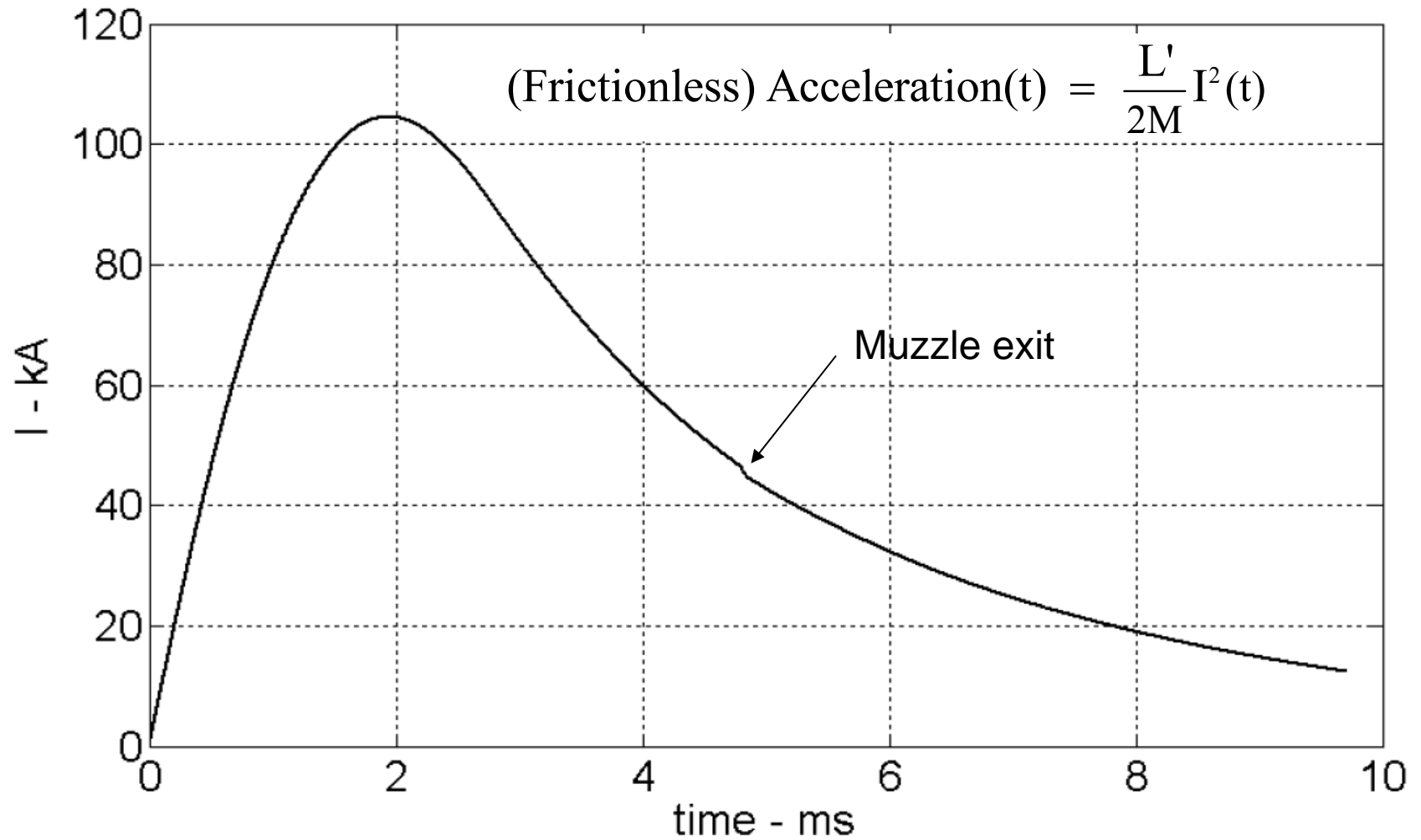
## Why is Friction Measurement Important?

- The start-up region requires initial external contact pressure to carry current.
- Due to long residence time of the armature at the start-up region, abnormal damage occurs to both rail and armature.
- Role of lubrication in the interface is under study.
- Accurate measurement of the initial motion is extremely important for studying lubrication effects.

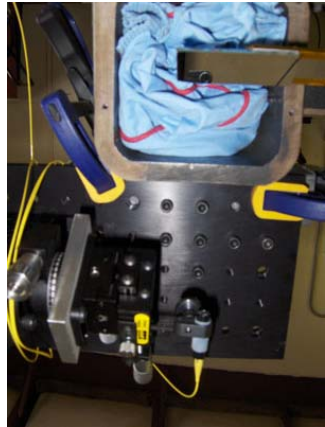
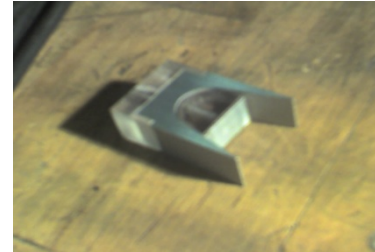
# Typical measurement from B-Dot probes



## Breech Current Shot 6

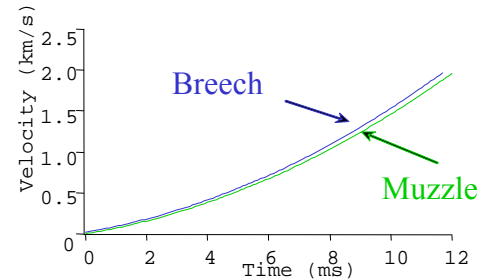


# Axial Velocity Measurements with PDV on 1 m Railgun at IAT



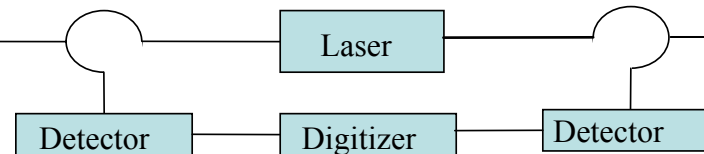
Muzzle Probe

2 independent axial  
velocity  
measurements  
With PDV



3M  
μRetroReflective  
Surfaces

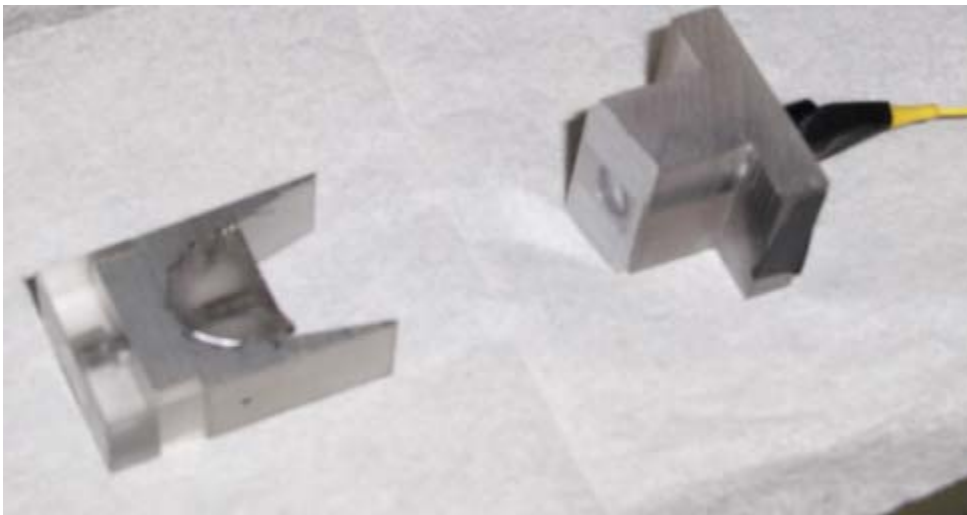
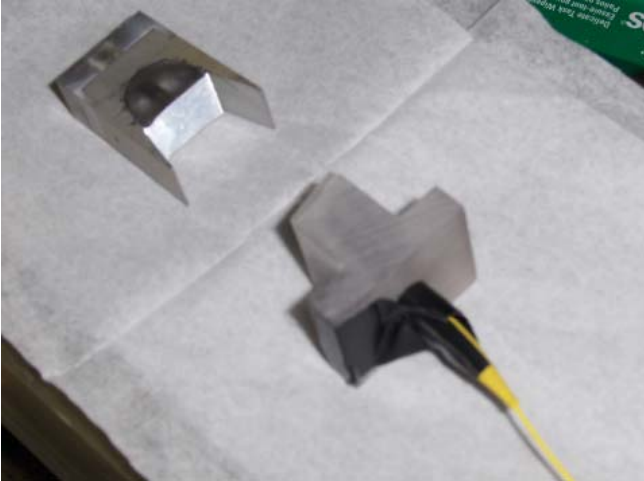
Beech Probe



$$v_i = 0.775 \frac{\text{m/s}}{\text{MHz}} \Delta f_i$$



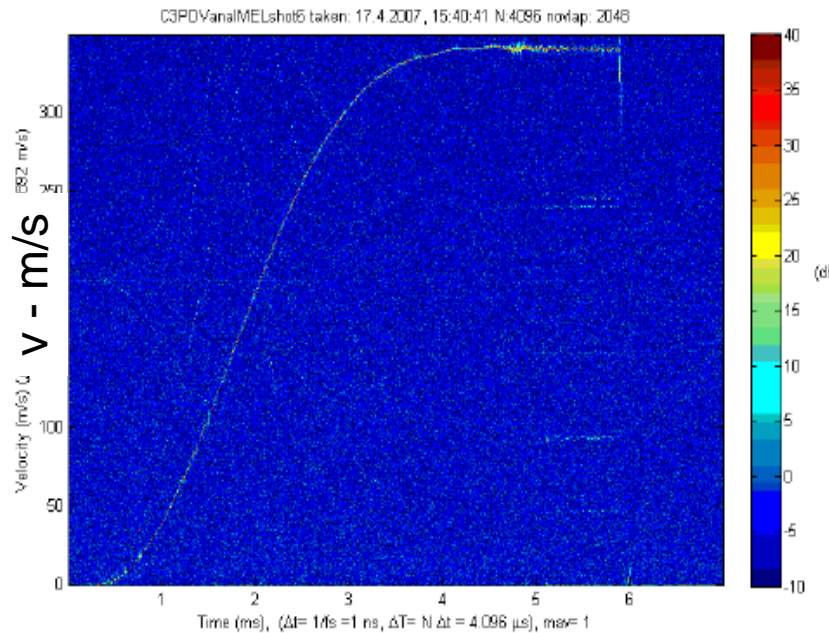
# Breach Probe & Leading & Trailing Edges of Launch Package



# Breech & Muzzle Probe Spectrograms 1 m Railgun

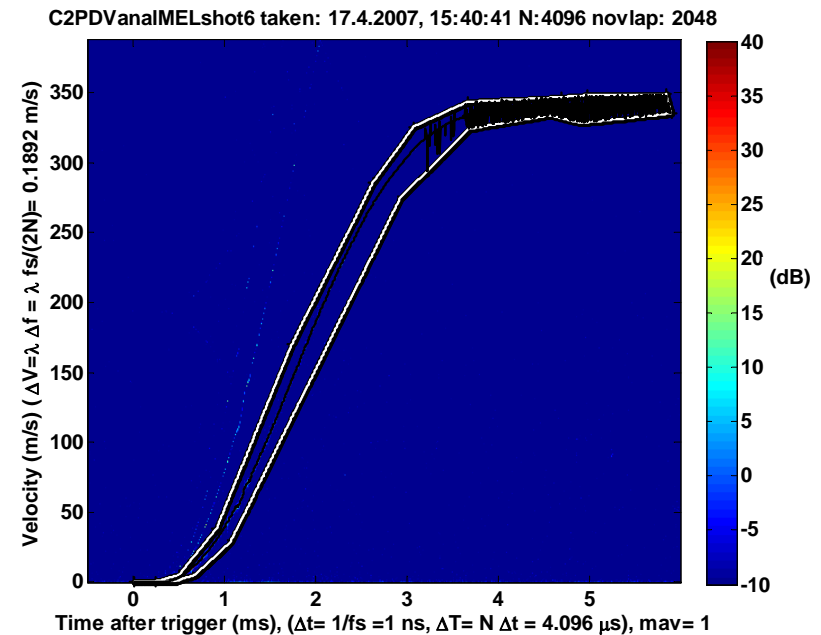
$$|s(\Delta f, t)|^2 = S(\Delta f, t) \rightarrow S(v, t) \quad v = 0.775 \frac{\text{m/s}}{\text{MHz}} \Delta f_i$$

Muzzle Probe



$t$  (ms)

Breech Probe (bracketed)

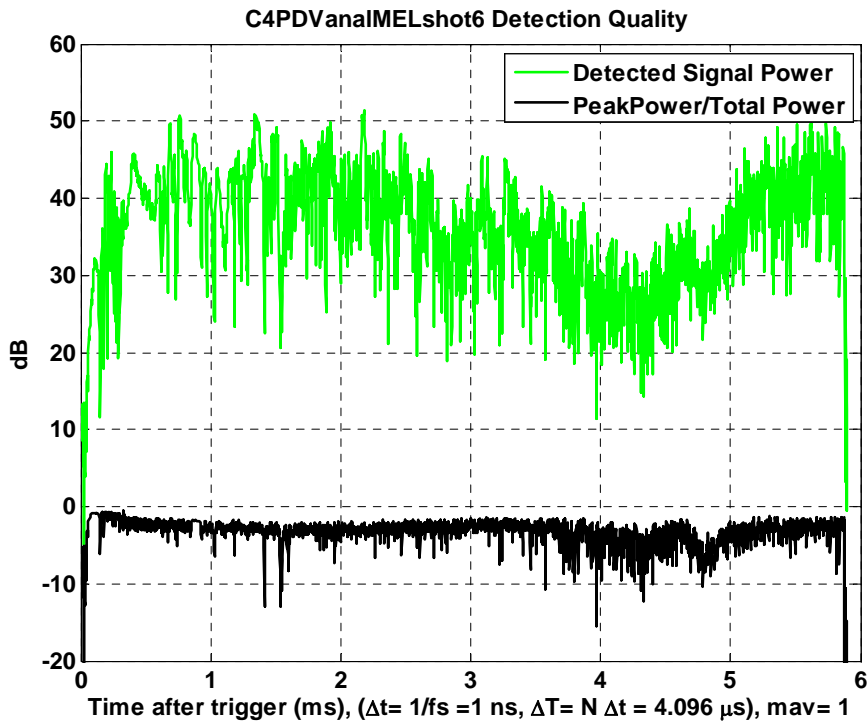


$t$  (ms)

$$S(t) = \max_k |s(\Delta f_k, t)|^2 = \max_k |s(v_k, t)|^2$$

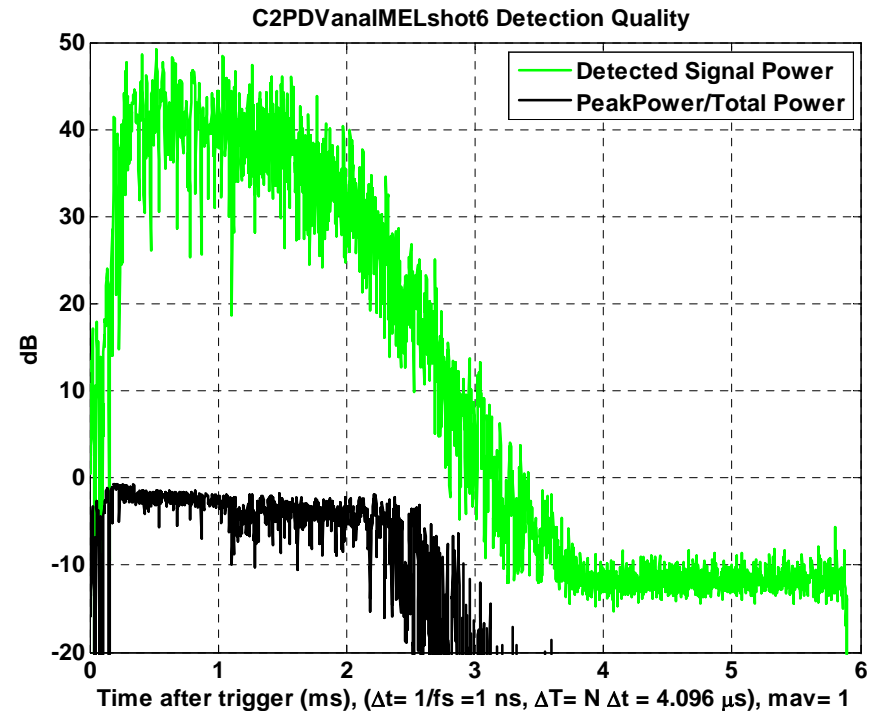
$$S(t)/N(t) \cong \frac{S(t)}{\sum_{k=1}^{2048} |s(v_k, t)|^2 - S(t)}$$

Muzzle Probe



t (ms)

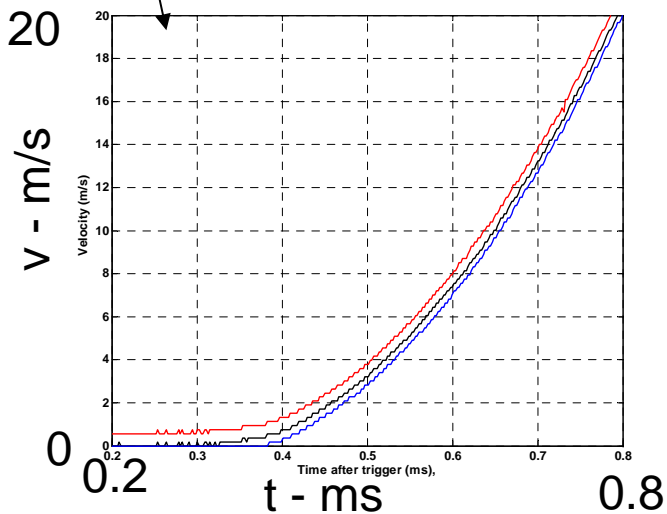
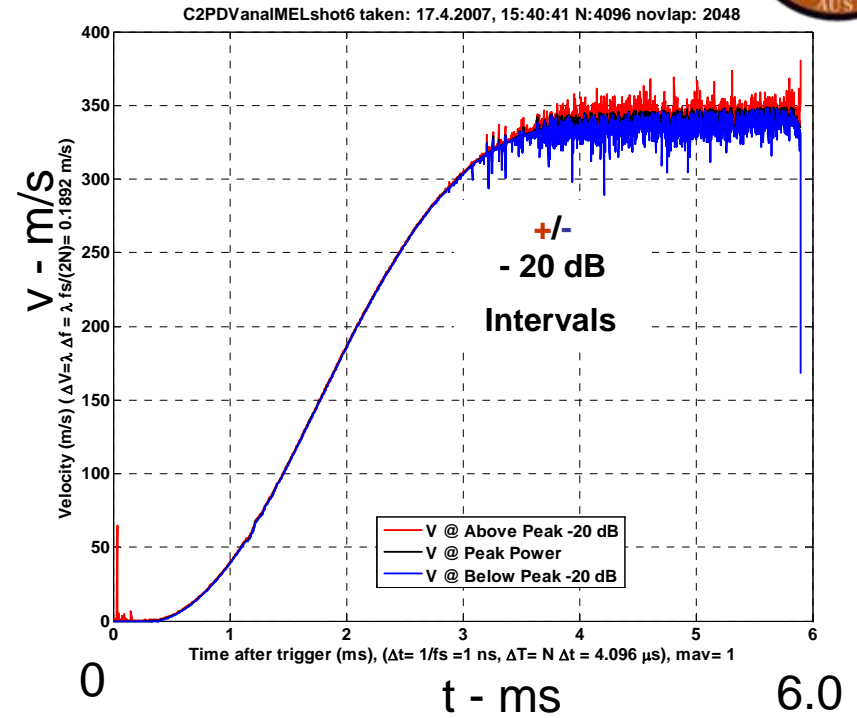
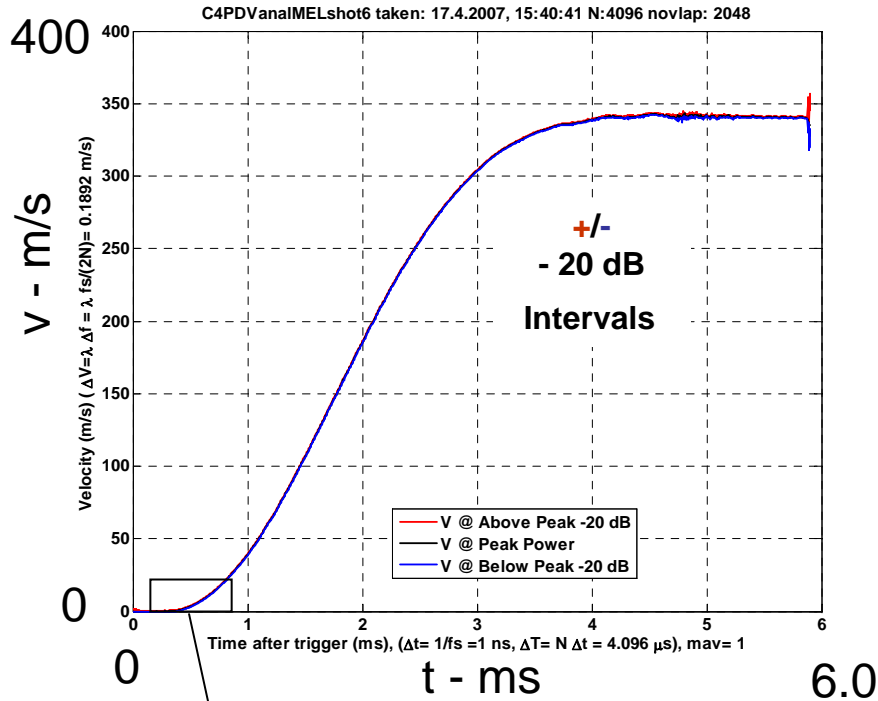
Breech Probe

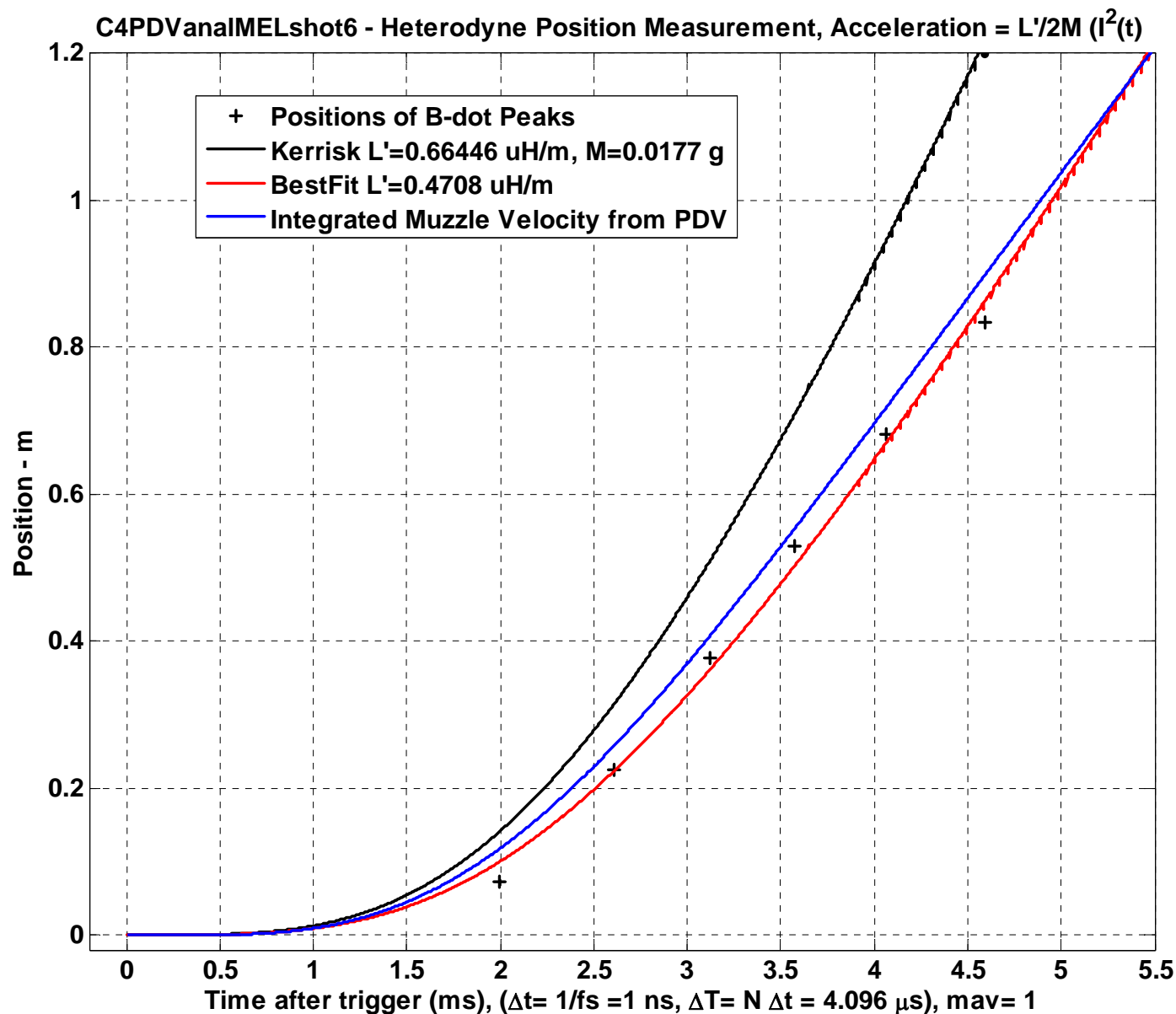


t (ms)

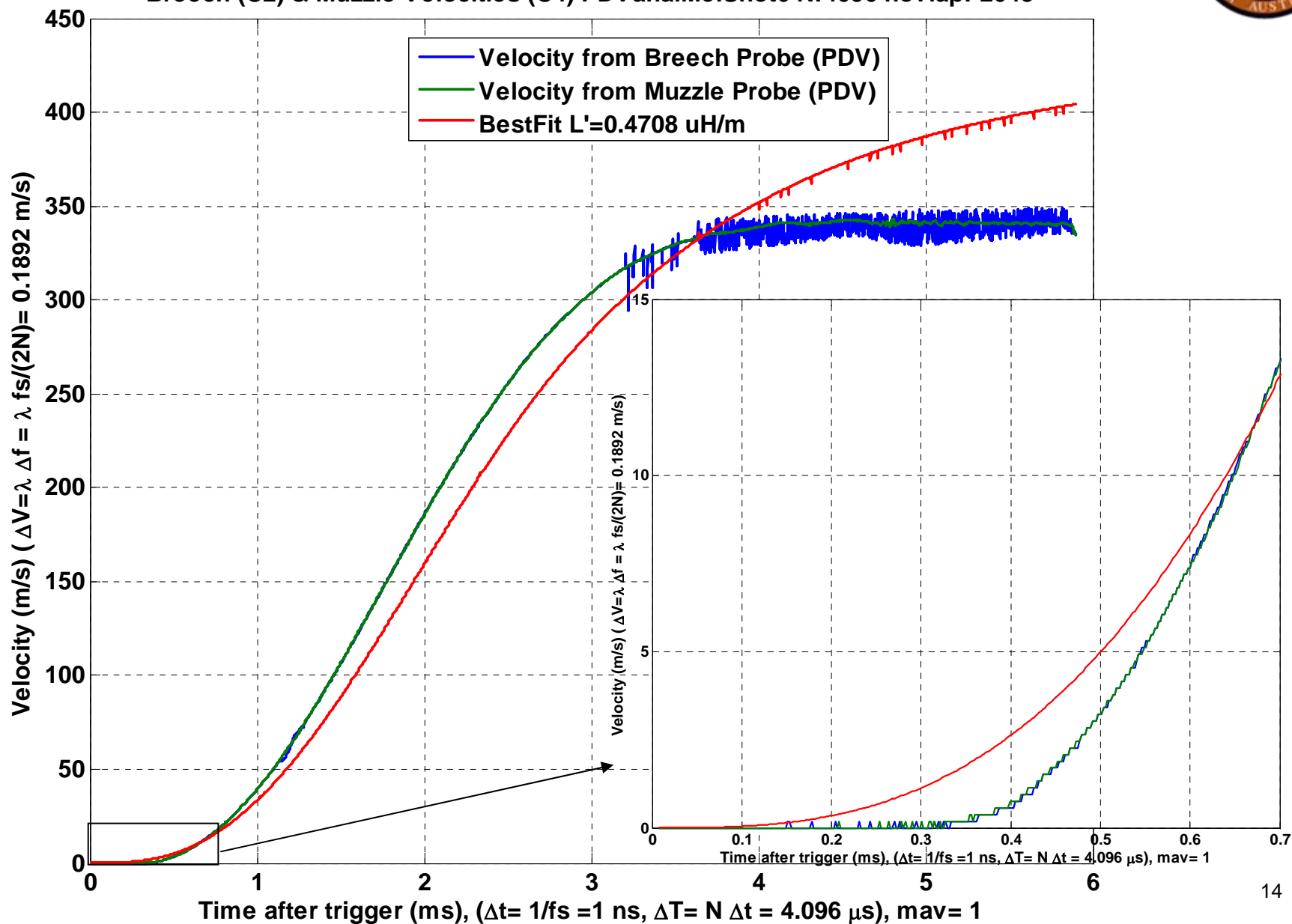
Muzzle Probe ↓

Breach Probe ↓

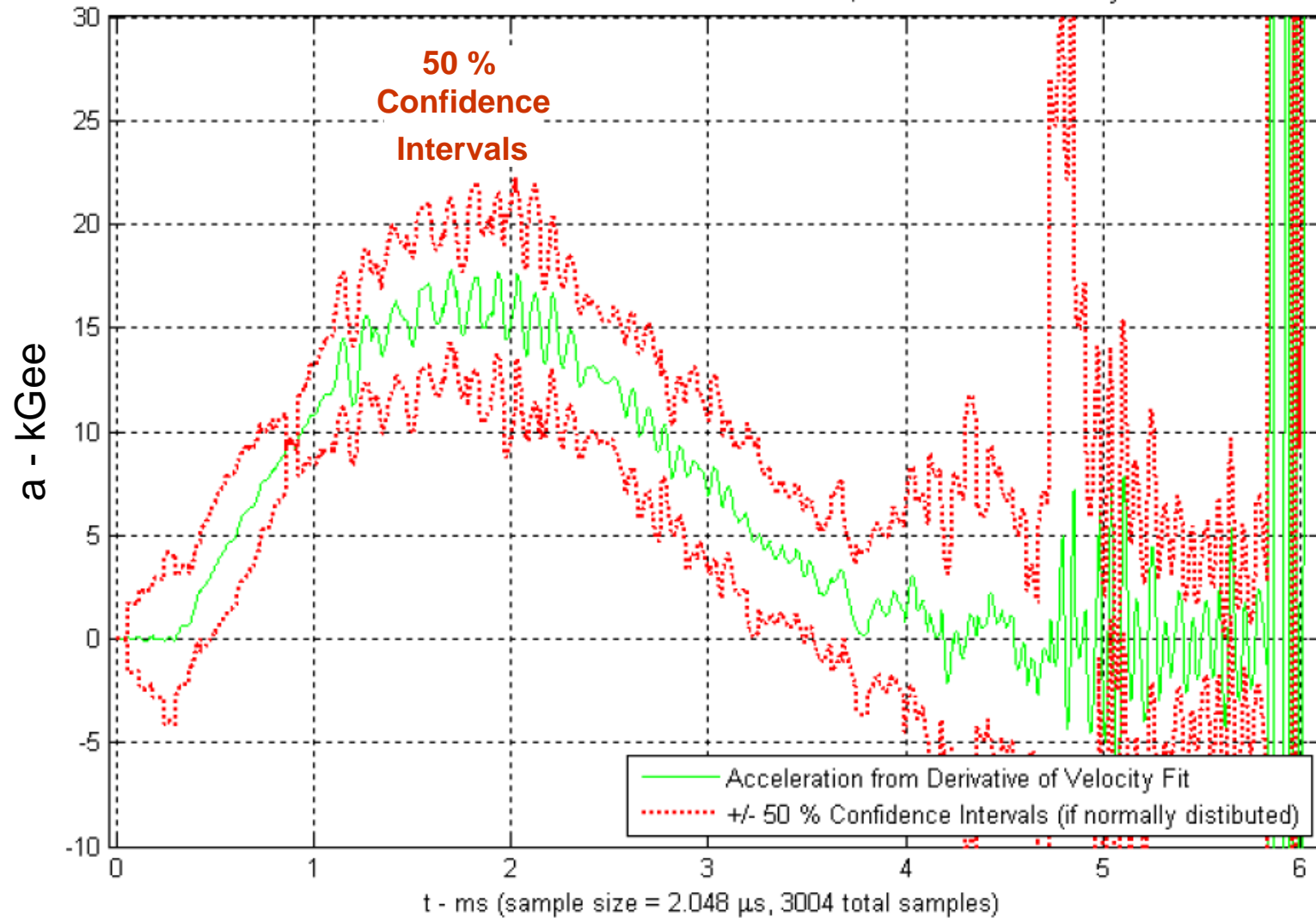




Breach (C2) & Muzzle Velocities (C4) PDVanalMeIShot6 N:4096 novlap: 2048

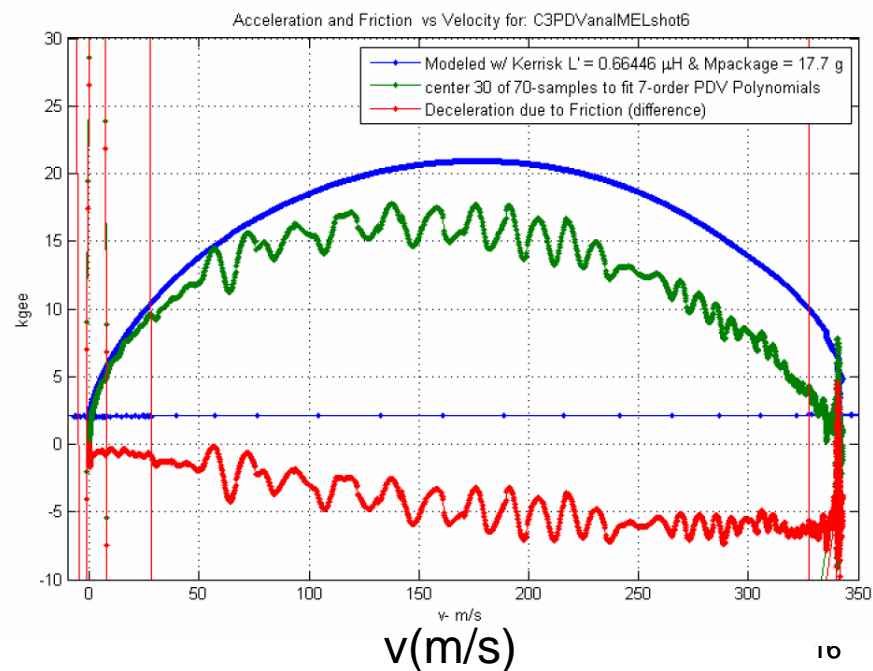
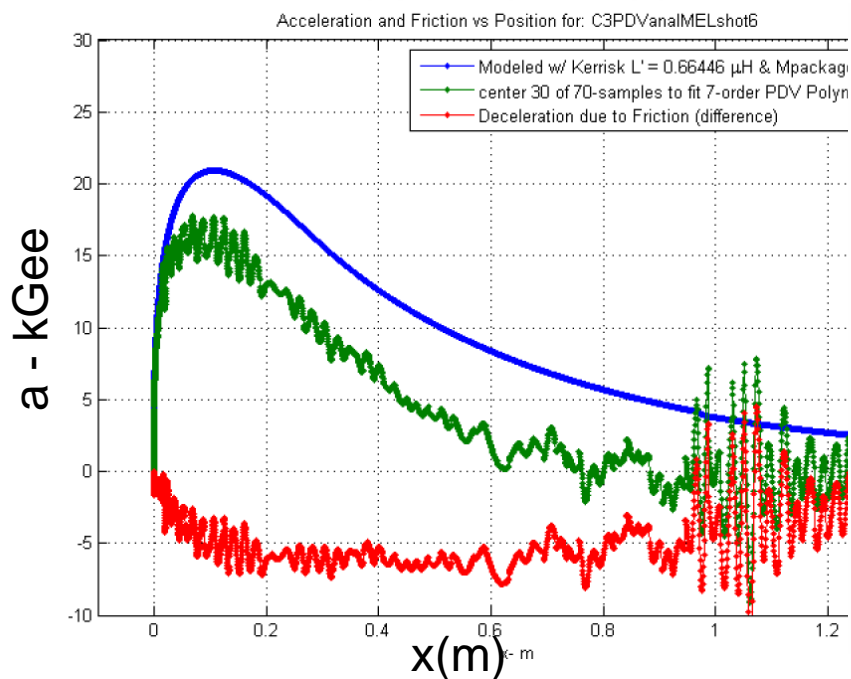
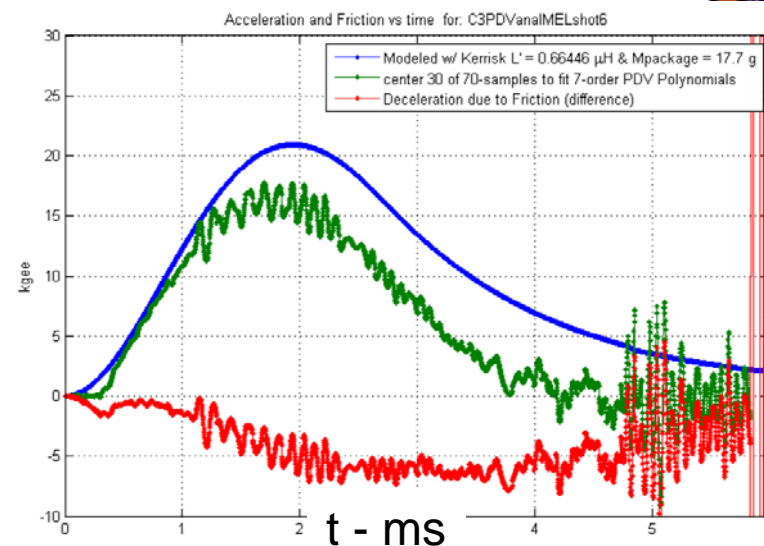
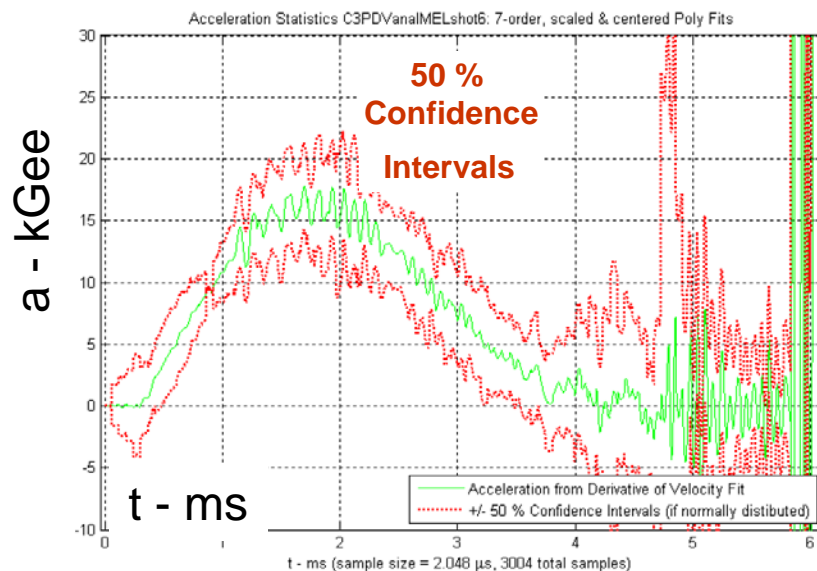


Acceleration Statistics C3PDVanaIMELshot6: 7-order, scaled & centered Poly Fits



t - ms







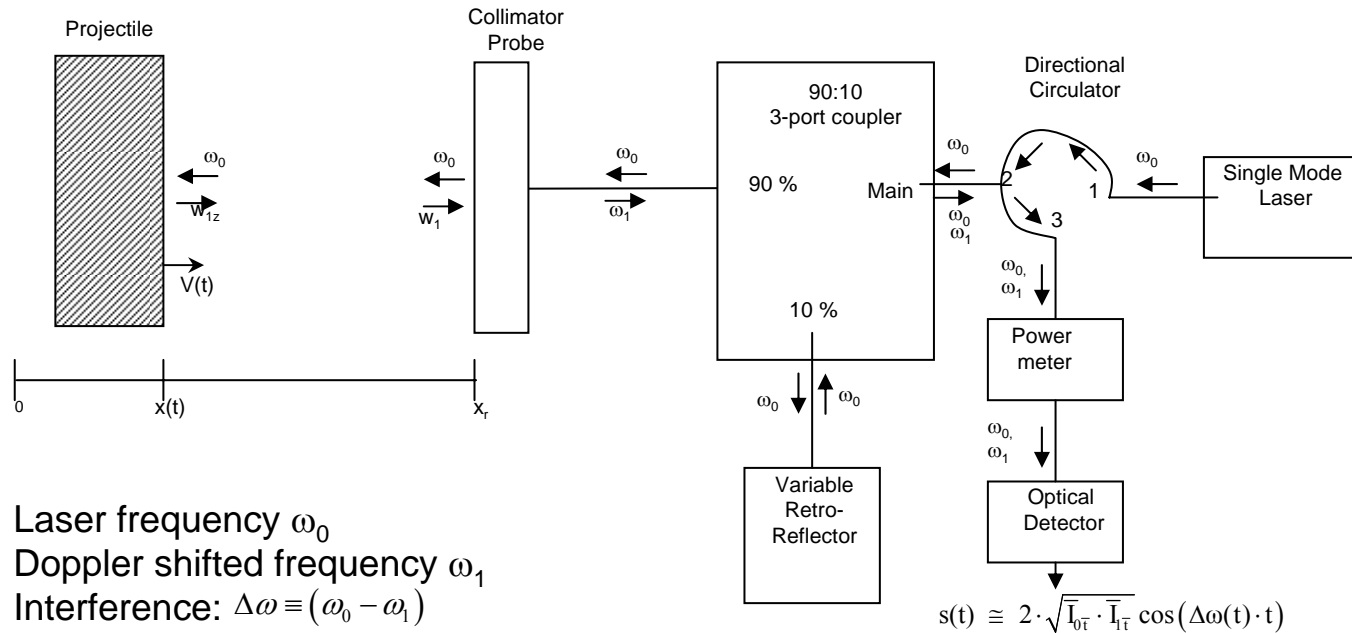
- Accurate velocity measurement is possible by measuring Doppler shift.
- Motion measurement is possible in the start-up region where use of B-dot probes is problematic.
- This method will help assess effects of lubrication on start-up armature behavior.
- The data shows interesting dynamic friction behavior at sliding contact.
- Future work: direct measurement of acceleration

[1] "High resolution sliding velocity measurement for assessing dynamic friction effects," Sikhanda Satapathy, Scott Levinson, Dwight Landen, David Holtkamp, and Adam Iverson, ASME Applied Mechanics and Materials Conference  
June 3-7, 2007, University of Texas at Austin

## Next Let's Consider:

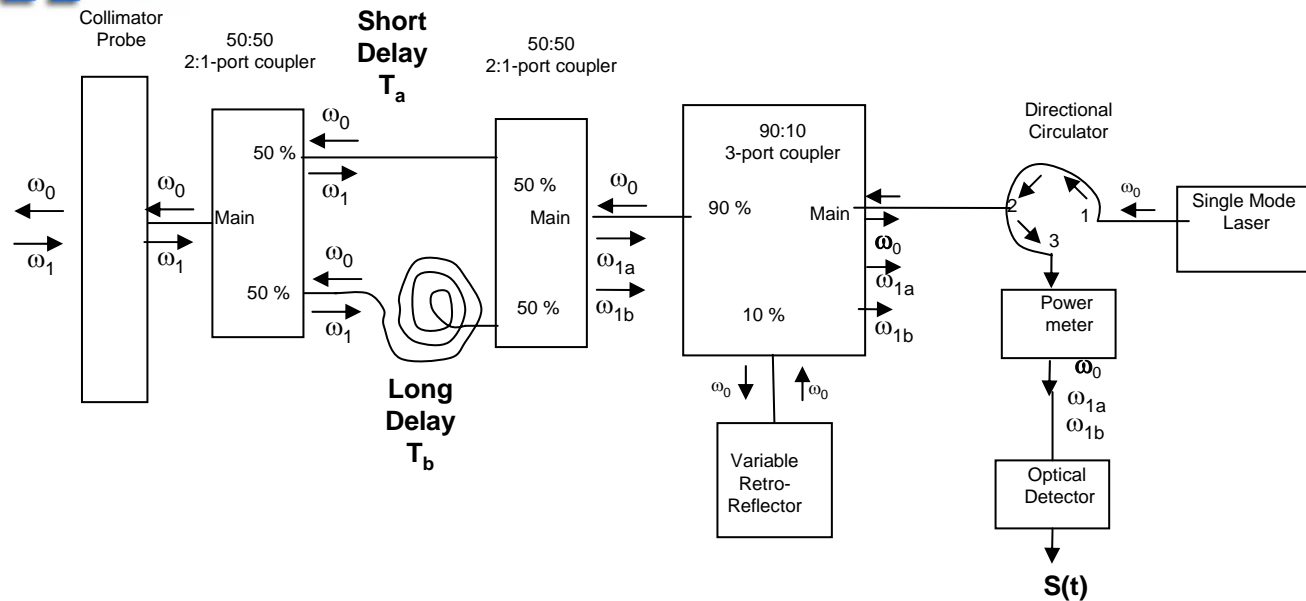
- Direct measurement of acceleration Incorporating VISAR principals
- Quick Look at Long range (18 m) and poor reflecting surfaces
- Feasibility of using Multiple probes for balloting measurement

# " Standard" PDV Directly Yields Velocity



$$\text{Detected signal: } s(t) \cong 2 \cdot \sqrt{\bar{I}_{0\bar{t}} \cdot \bar{I}_{1\bar{t}}} \cos(\Delta\omega(t) \cdot t) = 3.8 \text{ V/mW} \cdot \sqrt{\bar{I}_{0\bar{t}} \cdot \bar{I}_{1\bar{t}}} \cos \left\{ 2\omega_0 \frac{\mathbf{v}_{\bar{t}} + \mathbf{a}_{\bar{t}} \cdot \mathbf{t}}{c} t \right\}.$$

Terms incorporated in a subscript  $\bar{t}$  indicate that they are calculated or measured by averaging over a small time interval  $\tau$  centered about  $\bar{t}$ . Note that the amplitude of the detected signal  $|s(t)|$  is proportional to the square-root of the received signal amplitude ( $\sqrt{\bar{I}_{1\bar{t}}}$ ), and is adjustable by simply varying laser source amplitude ( $\sqrt{\bar{I}_{0\bar{t}}}$ ).



$$S(t) \cong 3.8 \text{ V/mW} \left( \sqrt{\bar{I}_{0t}} \cdot \bar{I}_{1a\bar{t}} \cos((\omega_0 - \omega_{1a}) \cdot t) + \sqrt{\bar{I}_{0t}} \cdot \bar{I}_{1b\bar{t}} \cos((\omega_0 - \omega_{1b}) \cdot t) \right. \\ \left. + \sqrt{\bar{I}_{1a\bar{t}}} \cdot \bar{I}_{1b\bar{t}} \cos((\omega_{1a} - \omega_{1b}) \cdot t) \right)$$

Noting:  $\omega_1(t) = \omega_0 \left( 1 + \frac{2v(t)}{c} \right)$ , we observe that

$$\omega_{1a} = \omega_0 \left( 1 + 2 \frac{\bar{v}_t + \bar{a}_t \cdot (T_a - \bar{t})}{c} \right)$$

$$\omega_{1b} = \omega_0 \left( 1 + 2 \frac{\bar{v}_{\bar{t}} + \bar{a}_{\bar{t}} \cdot (T_b - \bar{t})}{c} \right)$$

## "VISAR-Like" PDV for Acceleration cont.

Three signal components offer an independent means to detect the velocity in the vicinity of time  $T_a$  and  $T_b$ , and with average acceleration between them. They have respective frequencies & amplitudes:

$$1) \quad |\omega_{1a} - \omega_0| = 2\omega_0 \frac{\bar{v}_{\bar{t}} + \bar{a}_{\bar{t}} \cdot (T_a - \bar{t})}{c} \text{ at amplitude } \sqrt{\bar{I}_{0\bar{t}} \cdot I_{1a\bar{t}}}$$

$$2) \quad |\omega_{1b} - \omega_0| = 2\omega_0 \frac{\bar{v}_{\bar{t}} + \bar{a}_{\bar{t}} \cdot (T_b - \bar{t})}{c} \text{ at amplitude } \sqrt{\bar{I}_{0\bar{t}} \cdot I_{1b\bar{t}}}$$

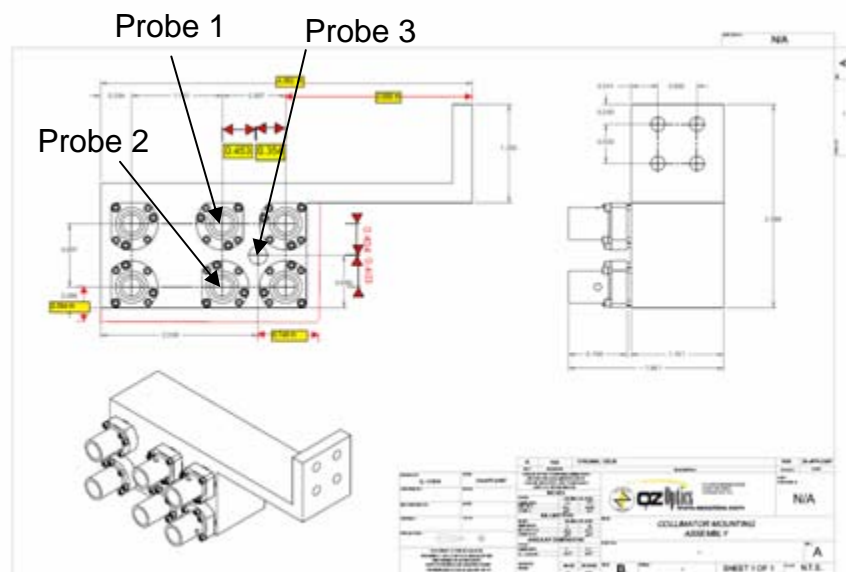
$$3) \quad |\omega_{1b} - \omega_{1a}| = 2\omega_0 \frac{\bar{a}_{\bar{t}} \cdot (T_b - T_a)}{c} \text{ at amplitude } \sqrt{I_{1a\bar{t}} \cdot I_{1b\bar{t}}}$$

The 3<sup>rd</sup> component's frequency is **proportional to acceleration**  $\Rightarrow$  **directly measurable!**

However, it's amplitude,  $\sqrt{I_{1a\bar{t}} \cdot I_{1b\bar{t}}}$ , is typically 10-20 dB smaller than the other 2 components  $\Rightarrow$  **may result in poor S/N.**

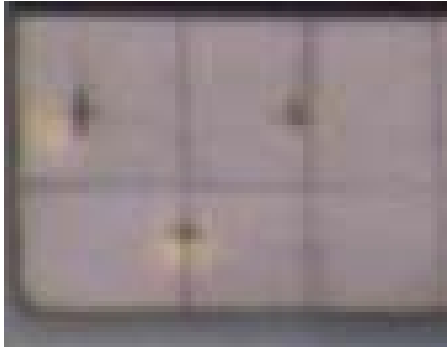
- Reflecting Surface
- Balloting

- Arrange 3 Oz Optics Probes in array
- At 18 m downrange from probes, wave reflector surfaces (by hand) :
  - Reflexite P66
  - unpolished al 7075
  - no surface
- Observe Spectrograms  $|s(v_k, t)|$

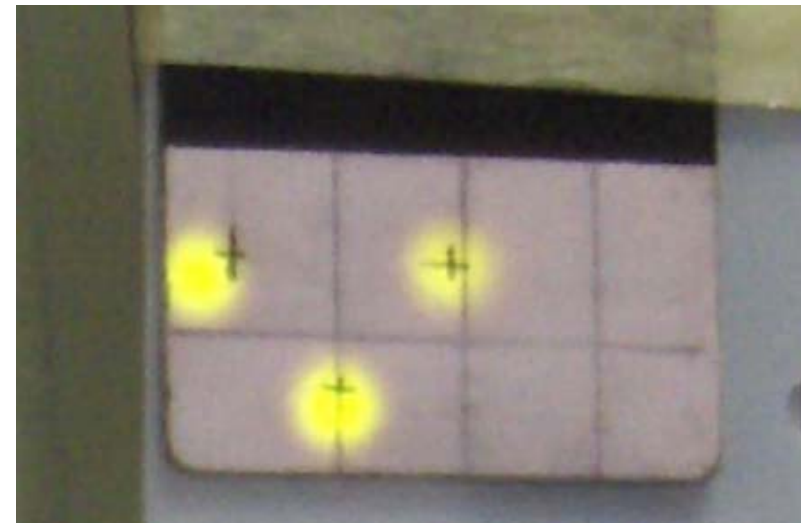


150 mW - each channel

75 mW - each channel

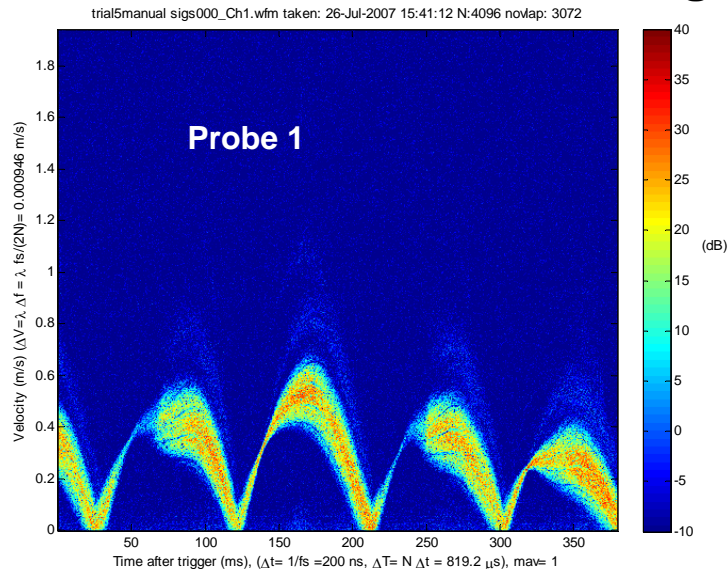


300 mW - each channel

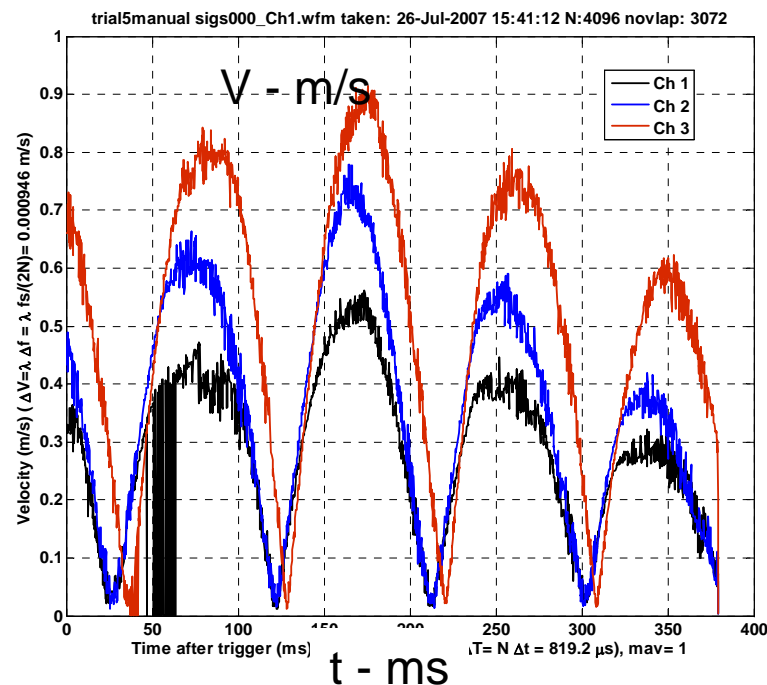
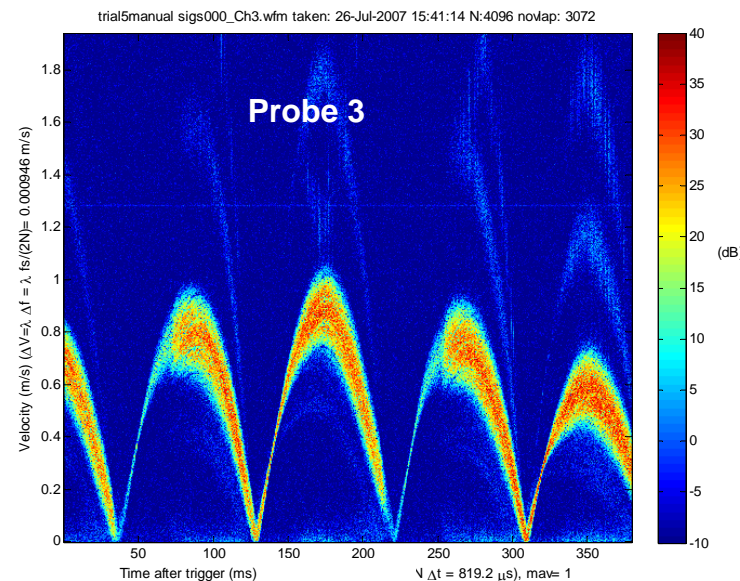
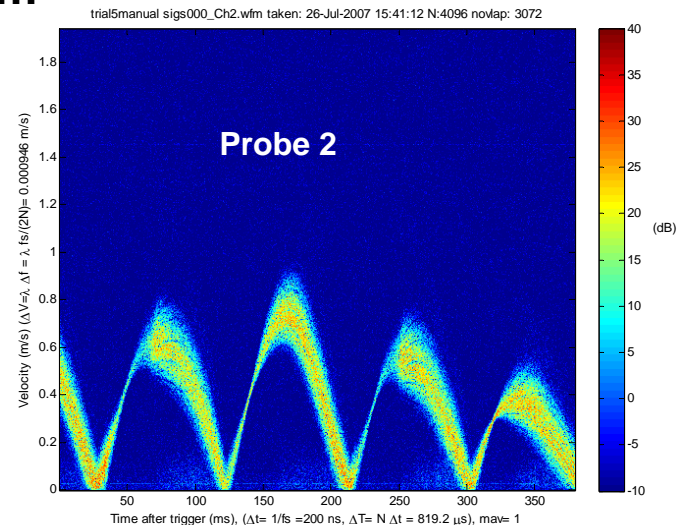


← 0.85 in →

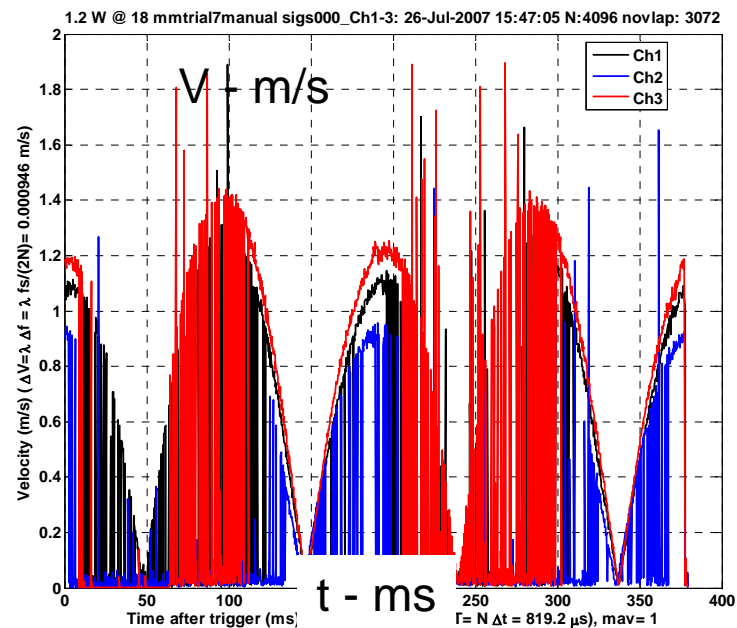
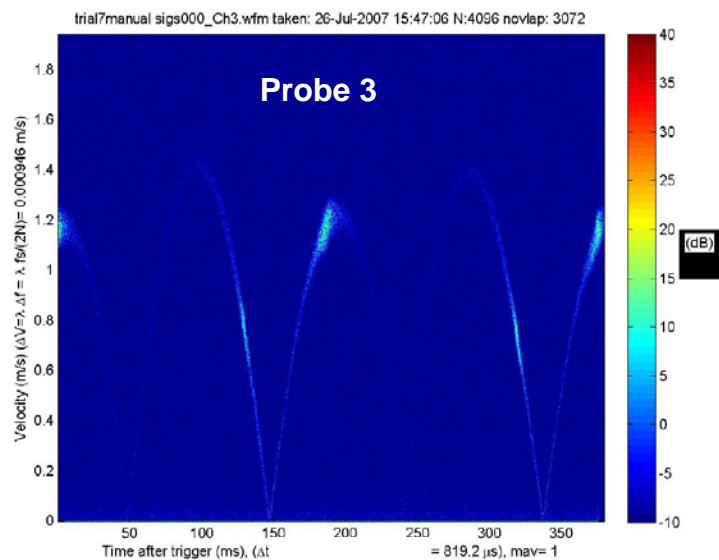
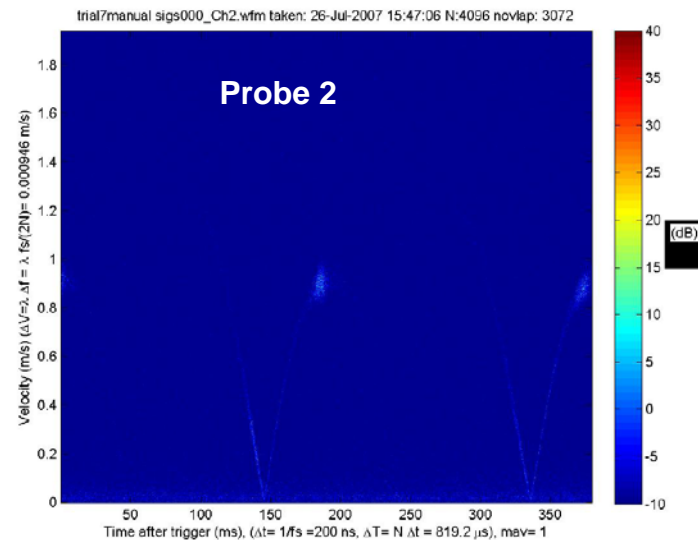
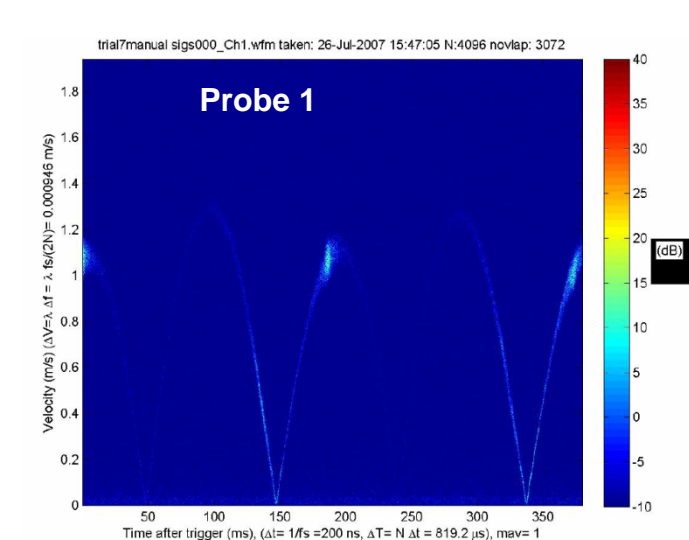




$S(v,t)$



$S(v,t)$



t - ms

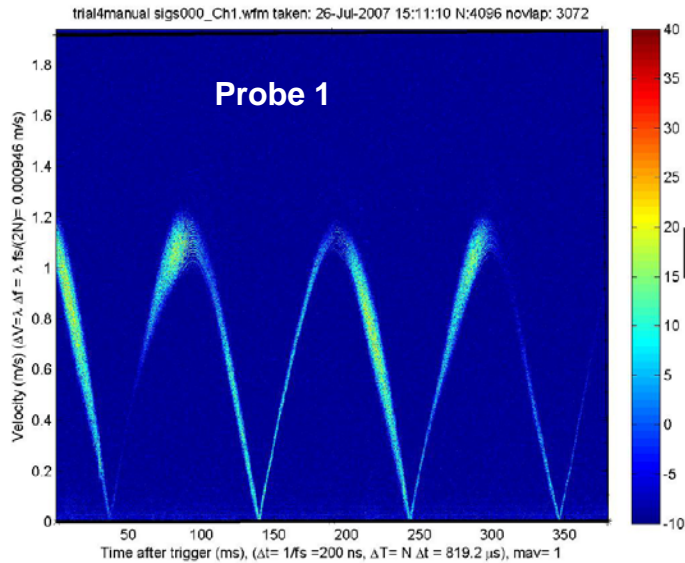
t - ms



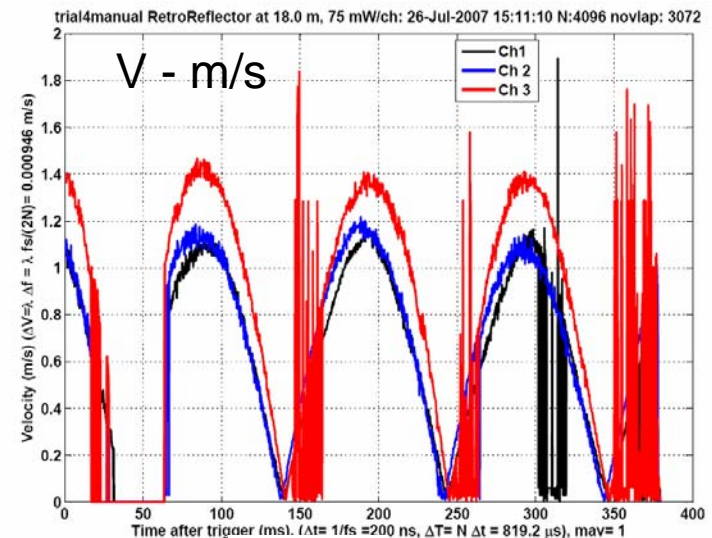
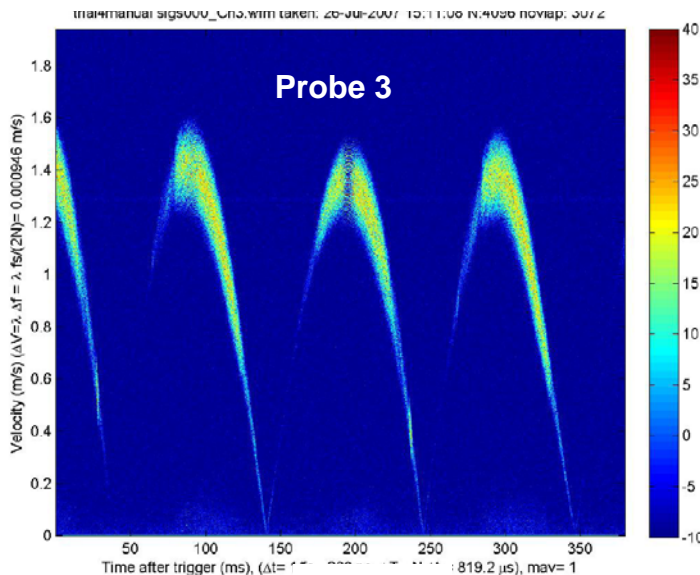
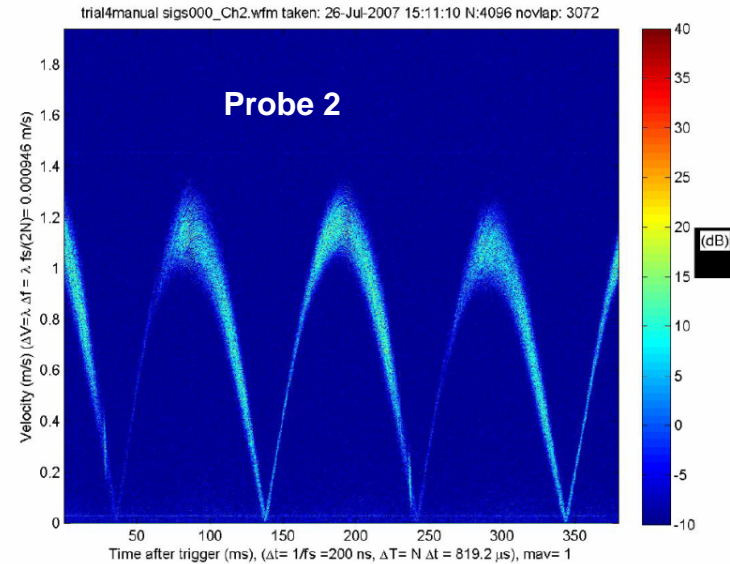
## Trial 4: Moving RetroReflective Surface

75 mW - each channel, Adjustable Retro: - 6dB each ch

Probe - Reflector Range: 18.0 m



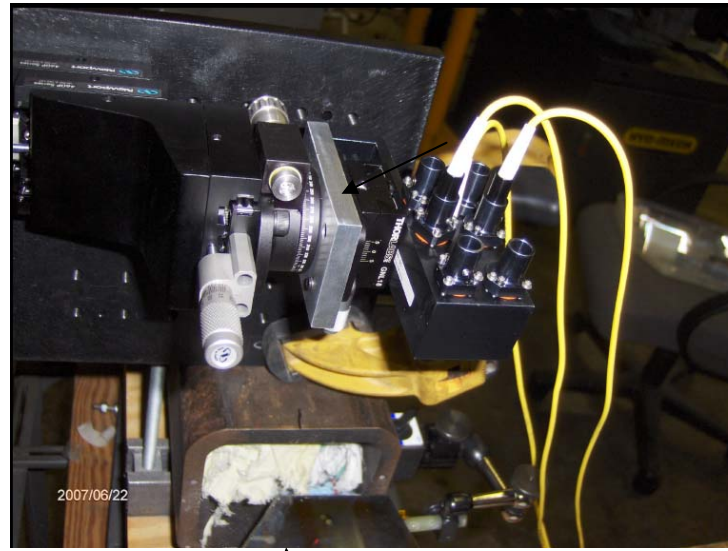
$S(v,t)$



t - ms

t - ms

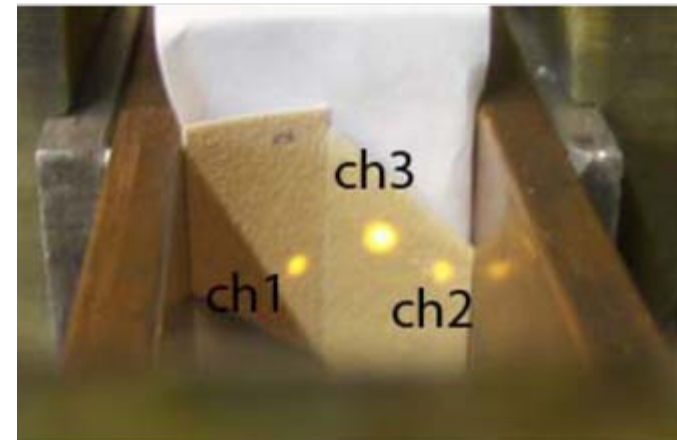
# Use Multiple (Muzzle) Probes



Muzzle Probe  
Array  
(Oz Optics)



Muzzle  
Mirror

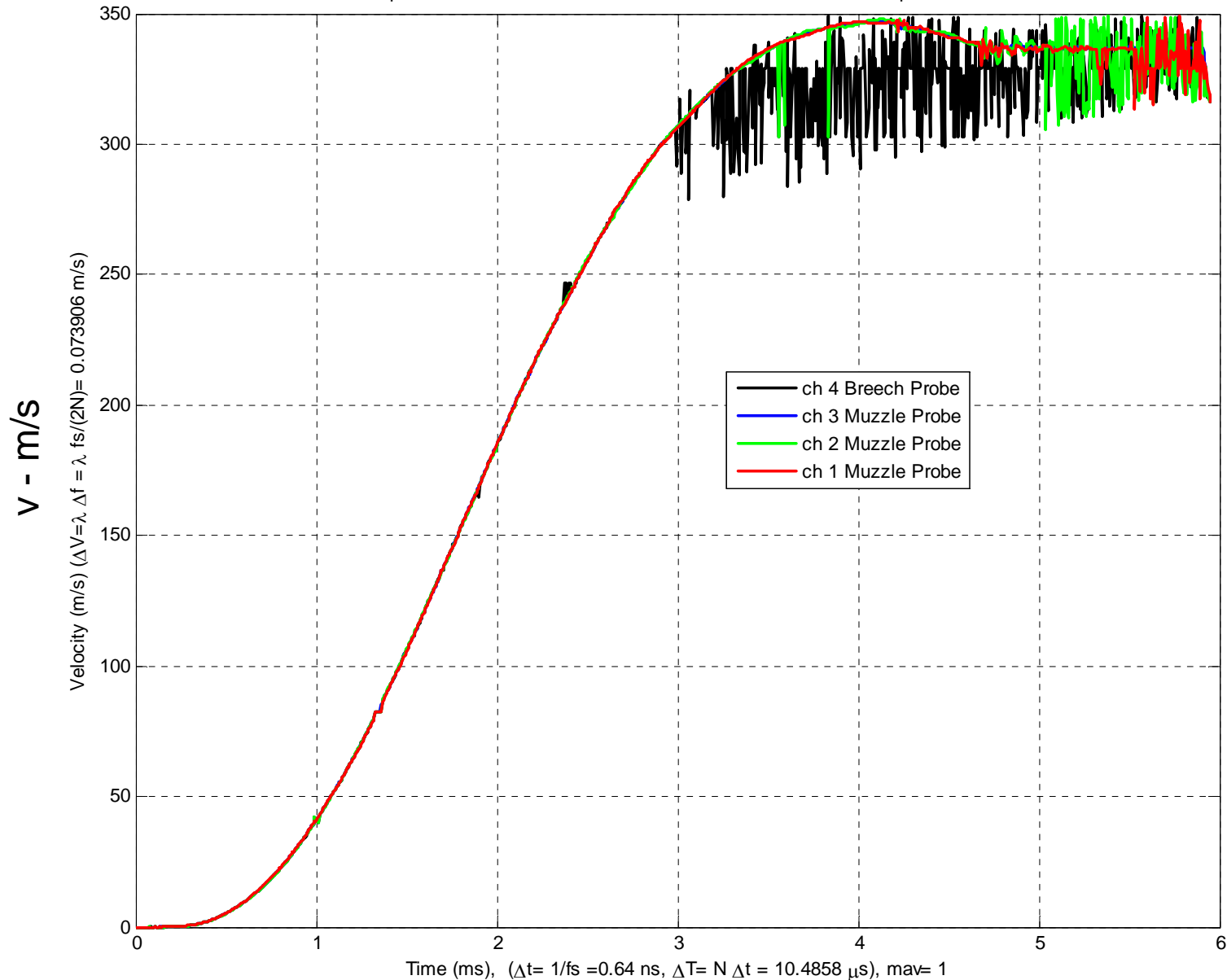


Downrange into Muzzle Mirror  
(1-mW 650 nm signal from FIS "Fault  
Detector" split into 3 probes)

Up-range into IR card at breech  
(IR Laser signal from each probe)<sub>26</sub>

# Breech and Muzzle Velocities with new Laser (with appropriate bracketing)

pdv001\_Ch4.wfm taken: 25-Jun-2007 13:44:54 N:16384 novlap: 8192



- Like VISAR, use of time delayed signals may allow direct PDV measurement of the acceleration
- A Quick-look shows PDV is likely to work over
  - long ranges,
  - with multiple, independent, closely-spaced signals,
  - & (maybe) w/ untreated launch-package surfaces.
- Multiple-independent signal detection in small railgun is feasible
- Future work:
  - Routinely characterize axial velocity profiles in large EM guns (e.g., HeMCL)
  - Test direct measurements of axial acceleration & 3d balloting

[1] "Photonic Doppler Velocimetry in the Bore of a Railgun", <http://www.emlsymposium.org/about.html>,

[2] "High resolution acceleration measurements," <http://www.emlsymposium.org/about.html>

[3] "Balloting Motion Measurement in Railgun," <http://www.emlsymposium.org/about.html>

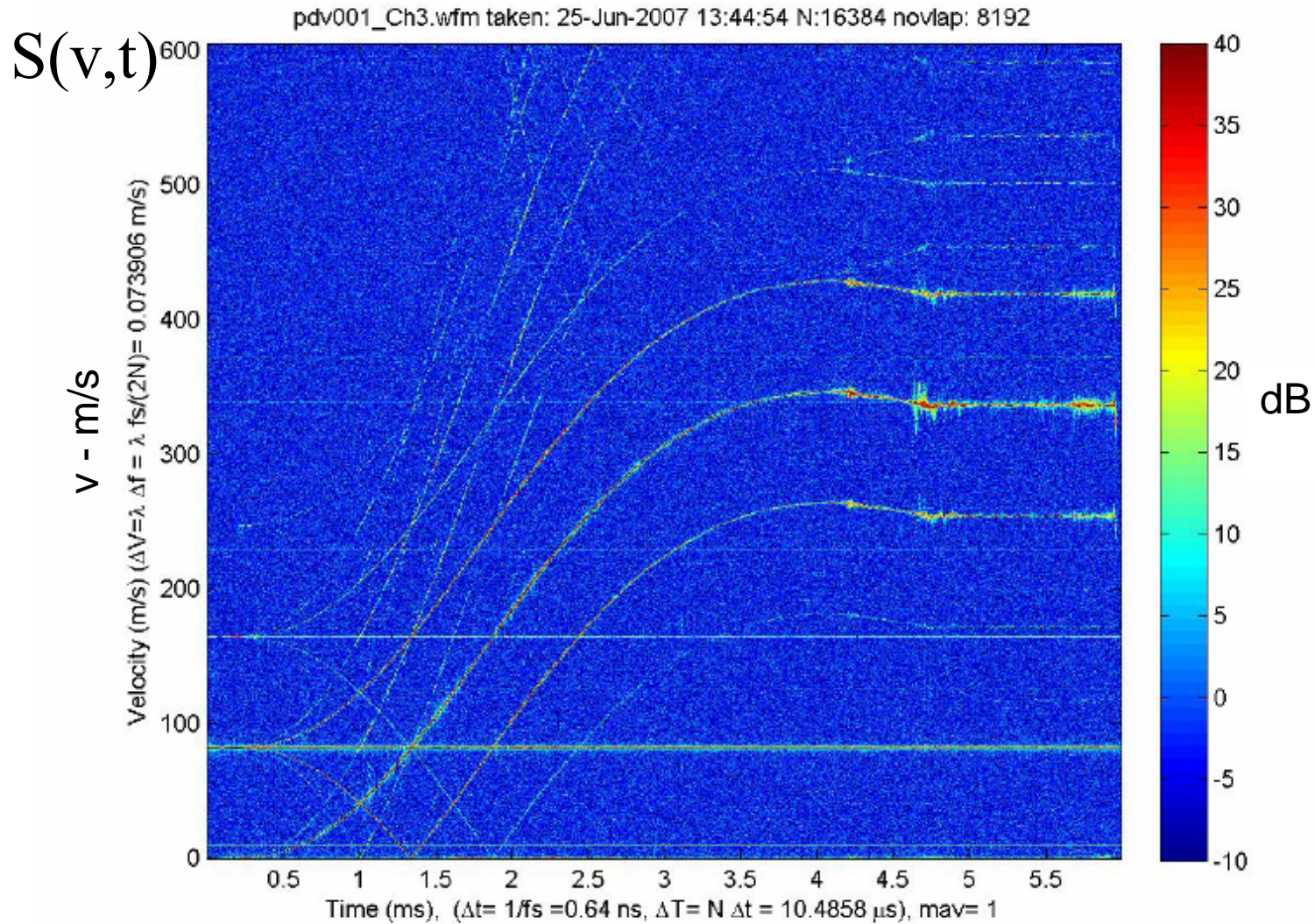


# Extras





# Spectrogram of New Laser

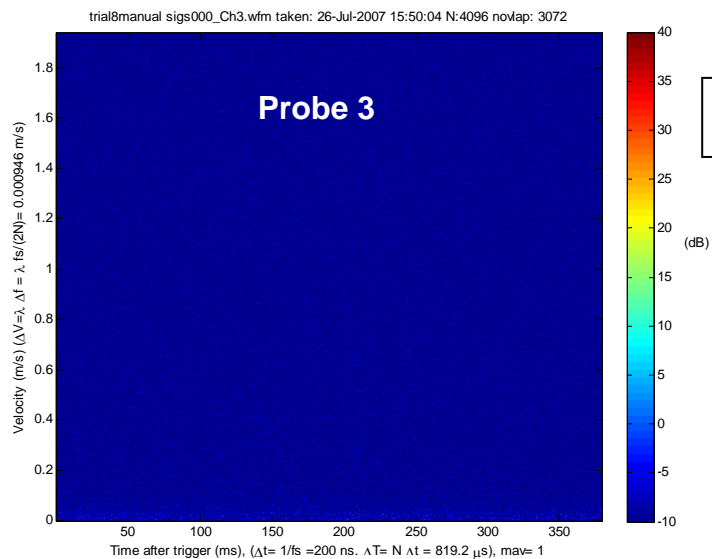
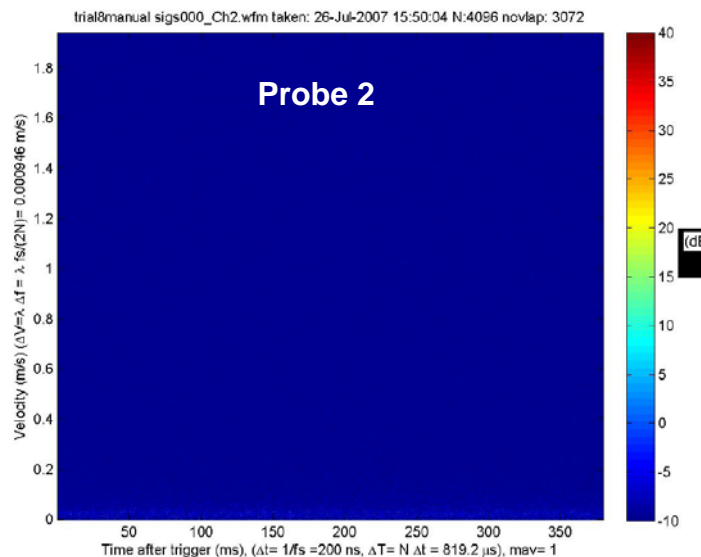
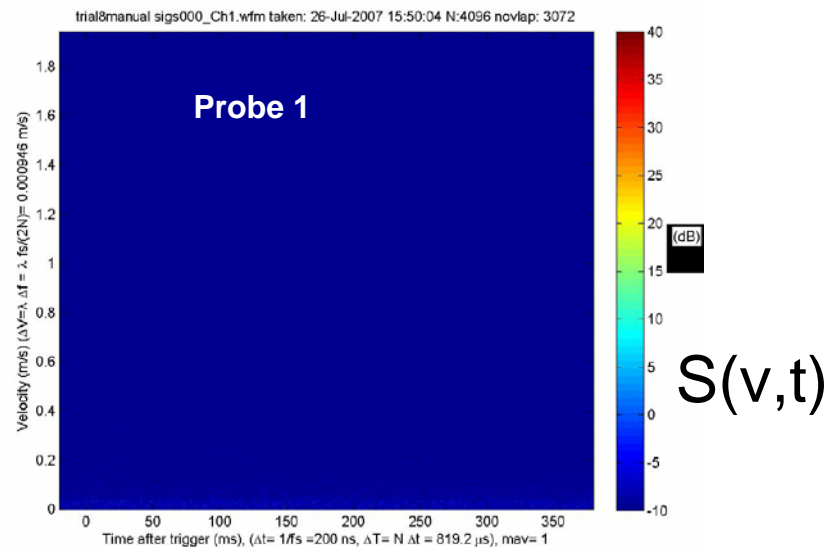


Multiple Velocities result from aliasing & multiple lines (1.667 GHz)  
(from new IPG Laser, which is now fixed)

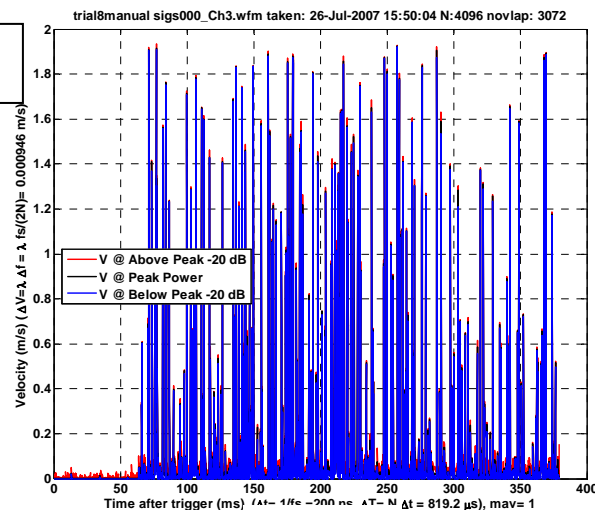
# Trial 8: No Moving Surface

300 mW - each channel, Adjustable Retro: - 2 dB each ch

Probe - Reflector Range: 18.0 m



V - m/s

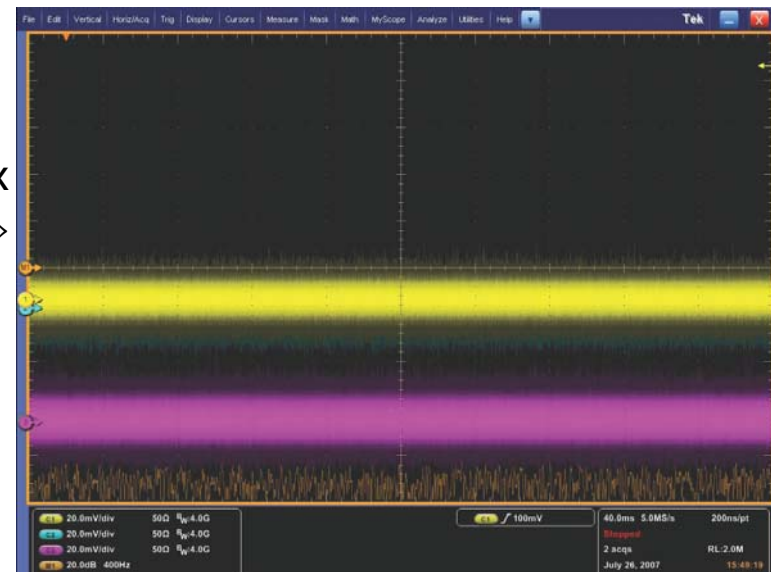
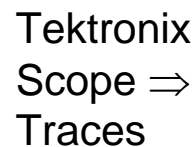
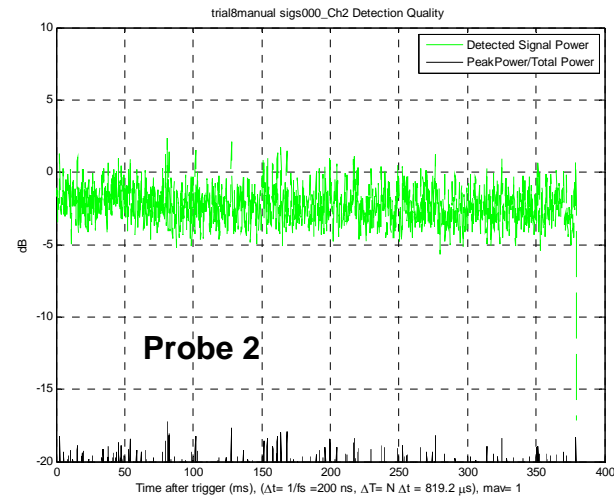


t - ms

t - ms



S/N



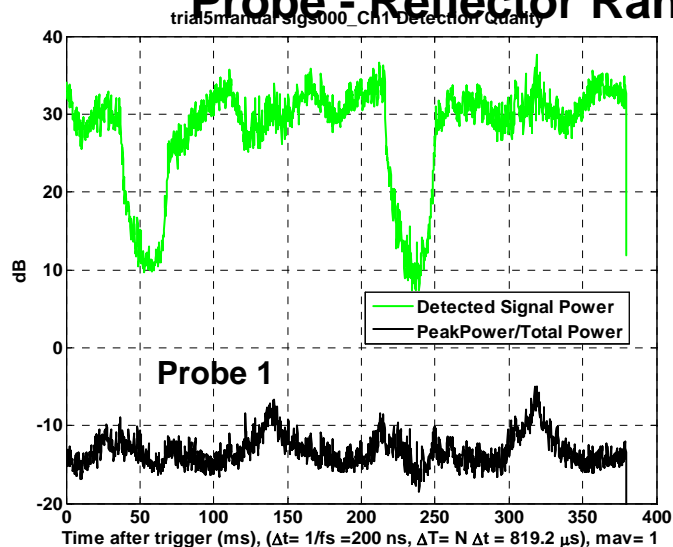
t - ms



## Trial 5: Moving RetroReflective Surface

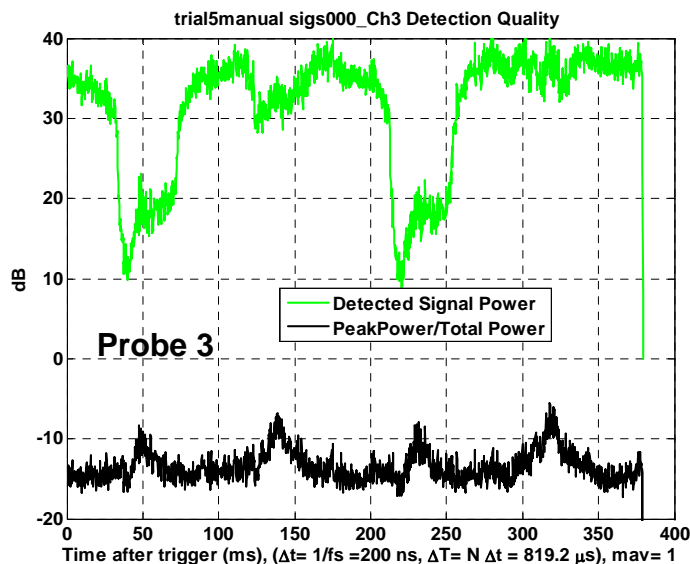
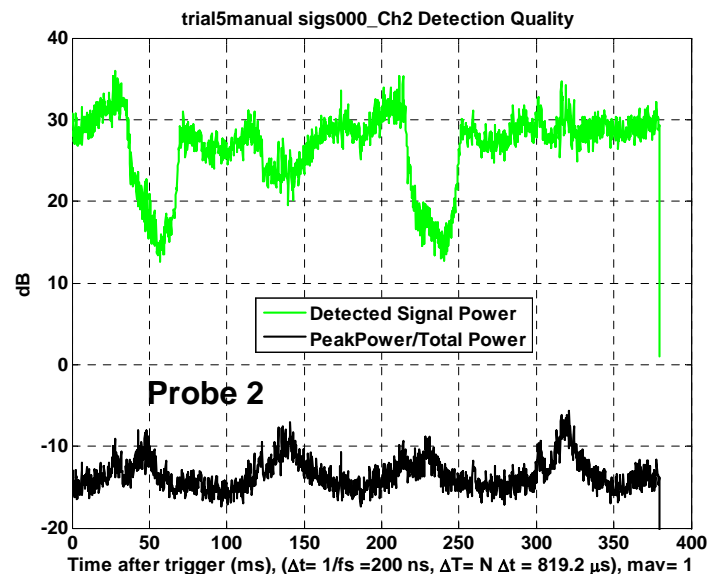
300 mW - each channel, Adjustable Retro: - 2 dB each ch

Probe - Reflector Range: 18.0 m

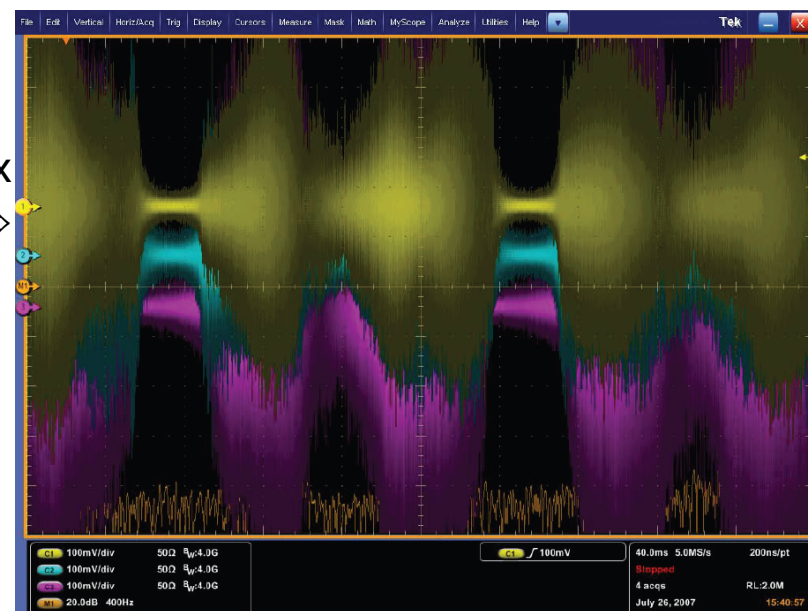


S

S/N



Tektronix  
Scope  $\Rightarrow$   
Traces

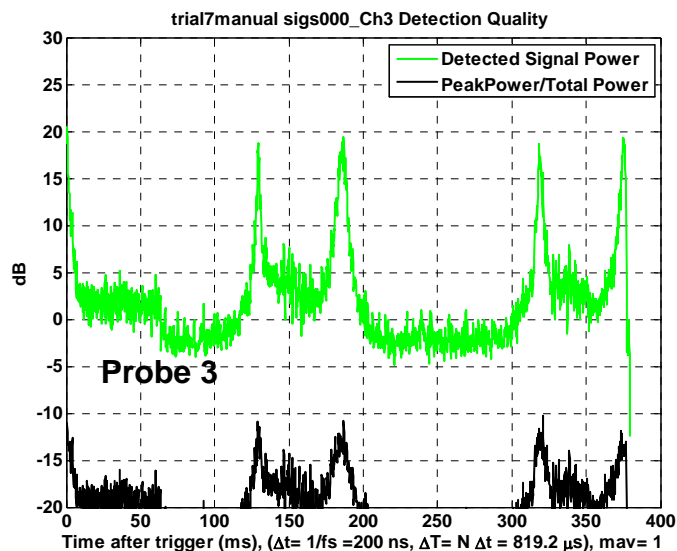
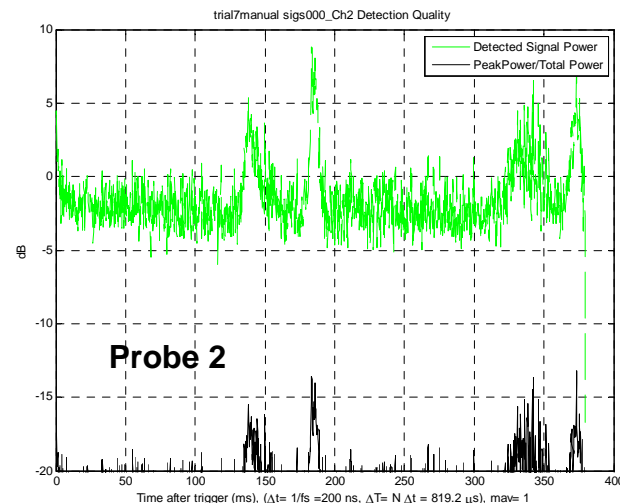
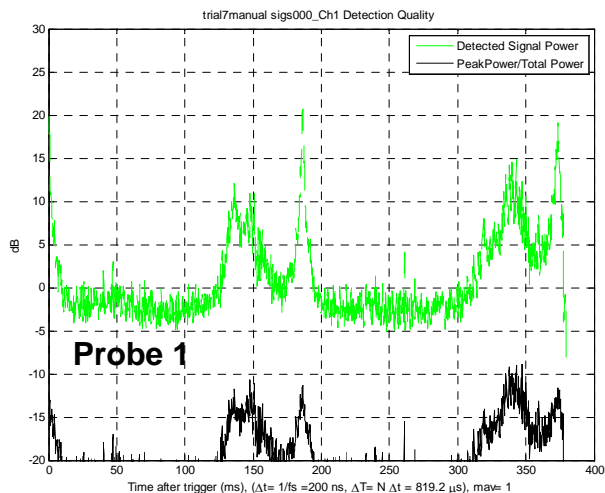


t - ms

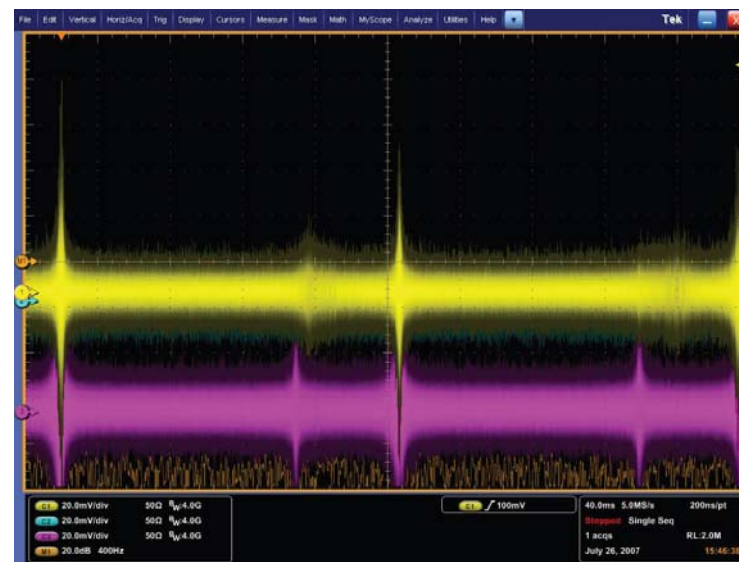
t - ms

S

S/N

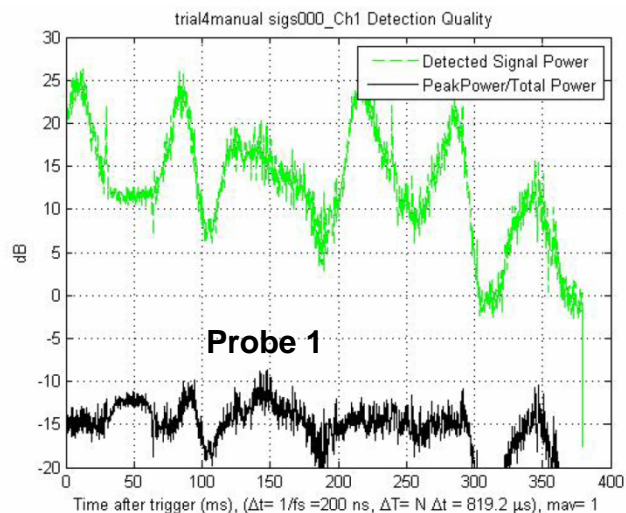


Tektronix  
Scope  $\Rightarrow$   
Traces



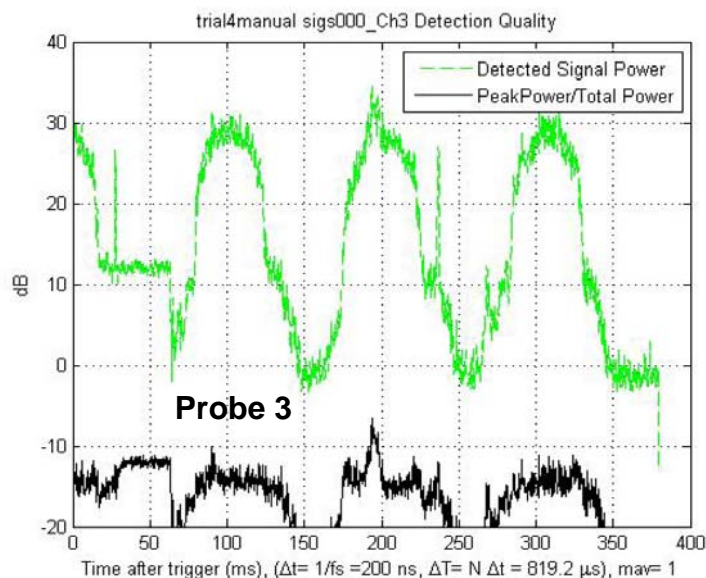
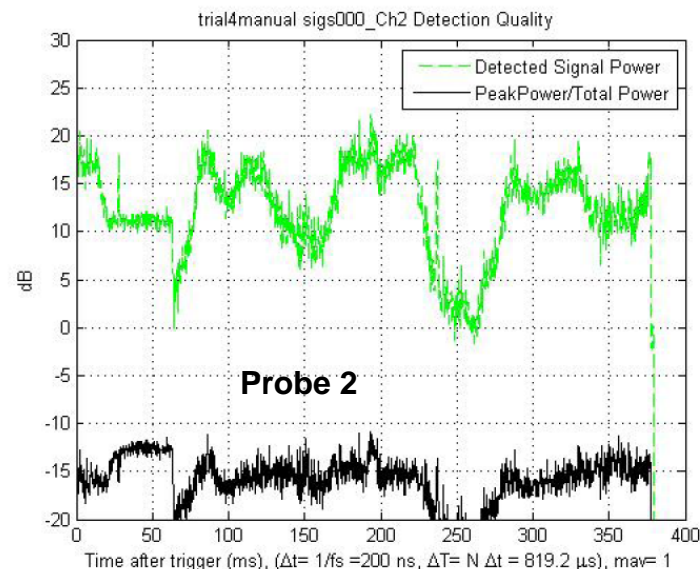
t - ms

t - ms



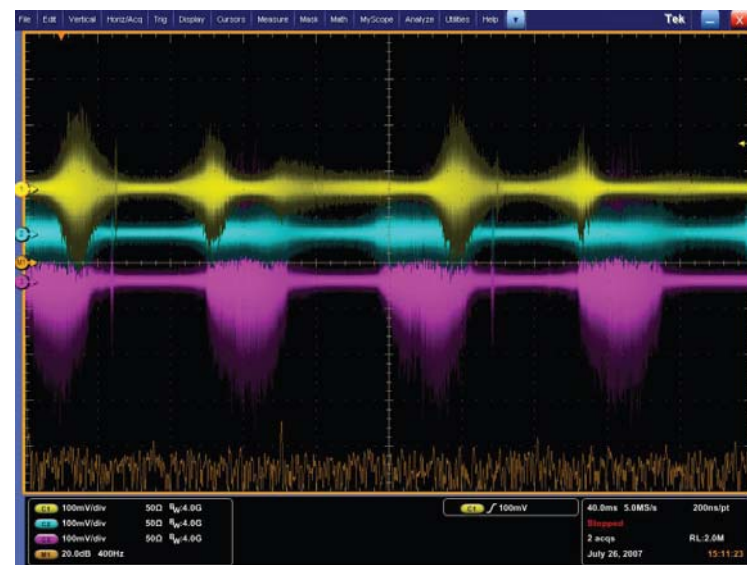
S

S/N



t (ms)

Tektronix  
Scope  $\Rightarrow$   
Traces



t (ms)